A Helmholtz Free Energy Formulation of the Thermodynamic Properties of the Mixture {Water + Ammonia}

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A Helmholtz Free Energy Formulation of the Thermodynamic Properties of the Mixture {Water + Ammonia}

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A thermodynamic model incorporating a fundamental equation of state for the Helmholtz free energy of the mixture {water+ammonia} is presented which covers the thermodynamic space between the solid–liquid–vapor boundary and the critical locus. It is also valid in the vapor and liquid phases for pressures up to 40 MPa. It represents vapor–liquid equilibrium properties with an uncertainty of ± 0.01 in liquid and vapor mole fractions. Typical uncertainties in the single-phase regions are $\pm 0.3\%$ for the density and ± 200 J mol⁻¹ for enthalpies. Details of the data selection and the optimization process are given. The behavior of the fundamental equation of state is discussed in all parts of the thermodynamic space. © 1998 American Institute of Physics and American Chemical Society. [S0047-2689(98)00401-2]

Key words: ammonia-water, equation of state, Helmholtz free energy, thermodynamic properties.

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Nomenclature

\overline{C}_p molar Helmholtz free energy \overline{C}_p molar isobaric heat capacity \overline{C}_v molar isochoric heat capacity \overline{G} molar Gibbs free energy \overline{H} molar enthalpy K distribution coefficient k_T, k_V factors M molar mass p pressure R_m universal gas constant s uncertainty S sum of squares \overline{S} molar entropy T temperature \overline{u} molar internal energy \overline{V} molar volume w speed of sound x liquid or overall mole fraction of ammonia y vapor mole fraction of ammonia y thermodynamic property Z compressibility factor $\alpha, \beta, \gamma, t_i,$ d_i, e_i exponents φ_i fugacity coefficient of component i Φ reduced Helmholtz free energy δ inverse reduced volume or reduced density θ reduced temperature ξ mass fraction ϱ molar density τ inverse reduced temperature	a, Θ	coefficient
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$ \vartheta $ reduced temperature $ \xi $ mass fraction $ \varrho $ molar density		
ξ mass fraction ϱ molar density		
<i>ρ</i> molar density		
	ς	
inverse reduced temperature		
	7	inverse reduced temperature

Subscripts

c	critical point parameter
n	reducing quantity
01	pure component 1 (water)
02	pure component 2 (ammonia)
0i	pure component i
tr	triple point parameter

Superscripts

0	ideal gas
E	excess
r	residual
′	saturated liquid
"	saturated vapor

1. Introduction

The mixture {water+ammonia} is an important working fluid in absorption–refrigeration cycles. Recently, this mixture has also been considered as a working fluid in future power generation plants based on the Kalina cycle¹. For design and simulation of such machinery, an accurate description of the thermodynamic properties of the mixture {water+ammonia} for a wide range of pressure, temperature, and composition is needed.

Several thermodynamic models have been published in the past. Old sources correlate experimental data by graphical methods (Kracek,² Scatchard *et al.*³) and report tables for saturation properties. A recent source of tables which is widely used today is the work of Macriss *et al.*⁴ from the Institute of Gas Technology (IGT). These tables cover the range up to 5 MPa for vapor–liquid equilibrium (VLE) and single-phase properties.

An early wide-ranging equation of state was developed by Schulz⁵ in 1971. His model consists of two separate equations for the Gibbs free energy G = G(p,T,x) of the vapor and of the liquid phases for pressures up to 2.5 MPa. Ziegler and Trepp⁶ extended this model to pressures up to 5 MPa. A very recent modification reported by Ibrahim and Klein⁷ is valid for temperatures above 230 K and pressures up to 11 MPa.

In addition to the Gibbs free energy models, numerous other approaches are found in the literature. A Benedict—Webb—Rubin (BWR)-type equation of state similar to that used by Lee and Kesler⁸ is presented by Park and Sonntag.⁹ They chose this model because of its capability to predict properties of {water+ammonia} up to 20 MPa and 650 K, where experimental data are scarce for the VLE and virtually nonexistent for other properties. El-Sayed and Tribus,¹⁰ for example, took the approach of establishing separate equations for different properties which were then combined in cycle calculations. Ammonia—water mixtures can also be treated as weak electrolyte solutions based on the work of Edwards *et al.*¹¹ Such an approach is given by Kurz¹² for example. It yields good results for the VLE at low and moderate temperatures and pressures.

There are several other models reported in the literature, 13-17 but most of them are applicable only in a restricted range or allow calculation of only a limited number of thermodynamic properties of {water+ammonia}. None of these models, however, has been fitted to new measurements in the single- and two-phase regions. Most of the models available so far are based on a limited set of experimental data, and it is sometimes unclear whether the selection of data resulted from a comprehensive analysis. Furthermore, correlations for {water+ammonia} often use tabulated values, such as those published by Macriss *et al.* 4 or by Scatchard *et al.*, 3 rather than original experimental data. No correlation based on the results of a thorough data analysis could be found.

In this work, a fundamental equation of state for the Helmholtz free energy of {water+ammonia} is developed accord-

ing to the approach of Tillner-Roth. ¹⁸ The equation incorporates accurate wide-ranging equations of state for the pure components and describes the entire thermodynamic space of the mixture by a single mathematical expression. All thermodynamic properties can be calculated from this model and, therefore, all types of measurements of thermodynamic properties can be used as input data during the optimization process.

Prior to the development of this correlation, data available in the literature were compiled. Simultaneously with the development of the new equation of state, all experimental data were evaluated and the most consistent data were identified. The results of the data compilation and analysis are described separately by Tillner-Roth and Friend.¹⁹

2. The Fundamental Equation of State

A fundamental equation of state for the Helmholtz free energy A = U - TS for a binary mixture has been developed by Tillner-Roth. ¹⁸ It is written in terms of the reduced Helmholtz free energy as

$$\frac{\overline{A}}{R_m T} = \Phi = \Phi^{\circ}(\tau^{\circ}, \delta^{\circ}, x) + \Phi^{\mathsf{r}}(\tau, \delta, x). \tag{1}$$

 Φ is split into an ideal part Φ° , depending on the dimensionless variables $\tau^{\circ} = T_n^{\circ}/T$, $\delta^{\circ} = \overline{V}_n^{\circ}/\overline{V}$, and mole fraction x of ammonia, and a residual part $\Phi^{\rm r}$, depending on $\tau = T_n/T$, $\delta = \overline{V}_n/\overline{V}$, and x. In Eq. (1), \overline{A} is the molar Helmholtz free energy and $R_m = 8.314471$ J mol $^{-1}$ K $^{-1}$ is the universal gas constant given by Moldover $et\ al.^{20}$

Pure fluid equations of state in terms of the dimensionless Helmholtz free energy form the basis of this model. For water, the fundamental equation of state developed by $Pru\beta$ and Wagner²¹ is used, which was adopted as the IAPWS Formulation in 1995 for the thermodynamic properties of ordinary water substance for general and scientific use by the International Association for the Properties of Water and Steam. For ammonia, the fundamental equation of state developed by Tillner-Roth *et al.*²² is used. Both formulations are given in terms of $\Phi(\tau, \delta)$ and are based on the current temperature scale (ITS-90).

2.1. Ideal-Gas Properties

Ideal-gas properties of {water+ammonia} are represented by the ideal-gas part Φ° which is derived from the ideal-gas parts Φ_{01}° and Φ_{02}° of the water and ammonia equations of state. They are combined at constant T and constant \overline{V} according to

$$\Phi^{\circ}(T, \overline{V}, x) = (1 - x)\Phi_{01}^{\circ}(T, \overline{V}) + x\Phi_{02}^{\circ}(T, \overline{V}) + (1 - x)\ln(1 - x) + x \ln x.$$
 (2)

The last two terms result from the entropy of mixing of the ideal-gas mixture. Because Eq. (2) is evaluated at fixed T and \overline{V} , the dimensionless variables $\tau_{0i} = T_{n,0i}/T$ and $\delta_{0i} = \overline{V}_{n,0i}/\overline{V}$ used to evaluate the ideal-gas function for the

TABLE 1. Coefficients of the ideal-gas part of the Helmholtz free energy, Eq. (5)

i	a_i°	θ_i	i	a_i°	t_i
1	-7.720435	_	9	-16.444 285	_
2	8.649 358	_	10	4.036 946	_
3	3.006 32	_	11	-1.0	_
4	0.012 436	1.666	12	10.699 55	1/3
5	0.973 15	4.578	13	-1.775436	-3/2
6	1.279 50	10.018	14	0.823 740 34	-7/4
7	0.969 56	11.964			
8	0.248 73	35.600			

pure components Φ_{0i}° are different due to different reducing parameters $T_{n,0i}$ and $\overline{V}_{n,0i}$ used in the pure fluid equations:

$$\Phi^{\circ}(T, \overline{V}, x) = (1 - x) \Phi^{\circ}_{01}(\tau_{01}, \delta_{01}) + x \Phi^{\circ}_{02}(\tau_{02}, \delta_{02}) + (1 - x) \ln(1 - x) + x \ln x.$$
 (3)

For convenience, uniform variables,

$$\tau^{\circ} = T_{p}^{\circ}/T$$
 and $\delta^{\circ} = \overline{V}_{p}^{\circ}/\overline{V}$, (4)

are introduced. Consequently, the coefficients of the pure fluid ideal-gas functions are transformed, and the ideal-gas function is written as

$$\Phi^{\circ}(\tau^{\circ}, \delta^{\circ}, x) = \ln \delta^{\circ} + (1 - x) \left[a_{1}^{\circ} + a_{2}^{\circ} \tau^{\circ} + a_{3}^{\circ} \ln \tau^{\circ} + \ln(1 - x) + \sum_{i=1}^{8} a_{i}^{\circ} \ln[1 - \exp(-\theta_{i} \tau^{\circ})] \right] + x \left[a_{9}^{\circ} + a_{10}^{\circ} \tau^{\circ} + a_{11}^{\circ} \ln \tau^{\circ} + \ln x + \sum_{i=12}^{14} a_{i}^{\circ} (\tau^{\circ})^{t_{i}} \right].$$
 (5)

 $T_n^{\circ} = 500 \text{ K}$ and $1/\overline{V_n^{\circ}} = 15\,000 \text{ mol m}^{-3}$ were chosen arbitrarily. The coefficients for Eq. (5) are given in Table 1. They differ from the original coefficients^{21,22} because of the variable transformation.

The reference values for enthalpy (or internal energy) and entropy of the mixture equation of state (EOS) are fixed because of preset reference values of the pure fluid equation of state. They can be changed by changing the coefficients a_1° and a_2° , which correspond to the water EOS, and a_9° and a_{10}° related to the ammonia equation of state. However, this would change the enthalpy and entropy values of the pure fluid equations of state as well. In the present work it has been chosen to set

$$u'=0$$
 and $s'=0$

for saturated liquid at the triple-point temperatures of both pure components, 273.16 K for water and 195.495 K for ammonia.

TABLE 2. Coefficients of the reducing functions, Eqs. (9) and (10), and the departure function, Eq. (13)

Equation of s	tate constants
water	ammonia
$T_{c,01} = 647.096 \text{ K}$	$T_{c,02} = 405.40 \text{ K}$
$\varrho_{\rm c,01} = 322 {\rm \ kg \ m^{-3}}$	$\varrho_{\rm c,02} = 225 \text{ kg m}^{-3}$
$p_{c,01} = 22.064 \text{ MPa}$	$p_{c,02} = 11.36 \text{ MPa}$
$_{1}$ = 0.018 015 268 kg mol ⁻¹	$M_2 = 0.017 030 26 \text{ kg mol}^{-1}$

Reducing functions

 $k_V = 1.2395117, k_T = 0.9648407, \alpha = 1.125455, \beta = 0.8978069$

Departure function

				$\gamma = 0.5$	24 83 / 9				
i	a_i	t_i	d_i	e_i	i	a_i	t_i	d_i	e_i
1	-1.855 822E-02	3/2	4	_	8	-1.368 072E-08	4	15	1
2	5.258 010E-02	1/2	5	1	9	1.226 146E-02	7/2	4	1
3	3.552 874E-10	13/2	15	1	10	-7.181 443E-02	0	5	1
4	5.451 379E-06	7/4	12	1	11	9.970 849E-02	-1	6	2
5	-5.998 546E-13	15	12	1	12	1.058 4086E-03	8	10	2
6	-3.687 808E-06	6	15	2	13	$-0.196\ 3687$	15/2	6	2
7	0.258 6192	-1	4	1	14	-0.7777897	4	2	2

2.2. The Residual Part of the Helmholtz Free Energy

 M_1

The residual part Φ^r has the form

$$\Phi^{r}(\tau, \delta, x) = (1 - x)\Phi^{r}_{01}(\tau, \delta) + x\Phi^{r}_{02}(\tau, \delta) + \Delta\Phi^{r}(\tau, \delta, x).$$
(6)

 $\Phi^{\rm r}_{01}$ and $\Phi^{\rm r}_{02}$ are the residual contributions of the water and the ammonia equations of state given by ${\rm Pru} \beta$ and Wagner²¹ and Tillner-Roth *et al.*²² They are combined at constant reduced variables τ and δ . An empirical departure function $\Delta\Phi^{\rm r}$ is needed to describe the thermodynamic properties of {water+ammonia} accurately. It is evaluated at the same reduced variables τ and δ as the residual parts of the pure fluids.

To ensure that the mixture model is valid also for the pure components, τ and δ are functions of composition,

$$\tau(x) = \frac{T_n(x)}{T} \quad \text{and} \quad \delta(x) = \frac{\overline{V}_n(x)}{\overline{V}},$$
(7)

and they must fulfill the conditions

$$x \to 0$$
: $T_n(x) \to T_{c,01}$ and $\overline{V}_n(x) \to \overline{V}_{c,01}$,
 $x \to 1$: $T_n(x) \to T_{c,02}$ and $\overline{V}_n(x) \to \overline{V}_{c,02}$. (8)

For the functions $T_n(x)$ and $\overline{V}_n(x)$, the expressions

$$T_n(x) = (1-x)^2 T_{c,01} + x^2 T_{c,02} + 2x(1-x^{\alpha}) T_{c,12}$$
 (9)

and

$$\overline{V}_n(x) = (1-x)^2 \overline{V}_{c,01} + x^2 \overline{V}_{c,02} + 2x(1-x^{\beta}) \overline{V}_{c,12}$$
(10)

are used where

$$T_{c,12} = k_T \frac{1}{2} (T_{c,01} + T_{c,02}) \tag{11}$$

and

$$\overline{V}_{c,12} = k_V \frac{1}{2} (\overline{V}_{c,01} + \overline{V}_{c,02}).$$
 (12)

The reducing functions contain a total of four adjustable parameters α , β , k_T and k_V which have to be fitted to experimental data. The values are listed in Table 2. For the reducing constants of the pure fluids their critical parameters are used as listed also in Table 2.

For the departure function $\Delta \Phi^r$, the following expression has been developed:

$$\frac{\Delta \Phi^{r}(\tau, \delta, x)}{x(1 - x^{\gamma})} = a_{1} \tau^{t_{1}} \delta^{d_{1}} + \sum_{i=2}^{6} a_{i} \exp(-\delta^{e_{i}}) \tau^{t_{i}} \delta^{d_{i}}
+ x \sum_{i=7}^{13} a_{i} \exp(-\delta^{e_{i}}) \tau^{t_{i}} \delta^{d_{i}}
+ a_{14} x^{2} \exp(-\delta^{e_{14}}) \tau^{t_{14}} \delta^{d_{14}}.$$
(13)

The optimization process and the formulation of the equation of state are described in Section 4. Coefficients and exponents are listed in Table 2. Relations between thermodynamic properties and the fundamental equation of state are summarized in Table 3.

3. The Database

During the last 150 years, numerous experimental studies on the thermodynamic properties of {water+ammonia} were carried out. Available experimental data are summarized by Tillner-Roth and Friend. The majority of measurements is concerned with VLE properties such as (p,T,x), (p,T,x,y), or (p,T,y) data. Few sources report single-phase measurements. Since the accuracy of VLE data varies strongly among different sources, an assessment of all these measurements is essential in order to determine the most reliable data. Furthermore, the selected VLE data have to be thermodynamically consistent with available single-phase data to allow the formulation of an accurate equation of state.

TABLE 3. Relations between the reduced Helmholtz free energy and thermodynamic properties

$$\begin{array}{ll} \text{Compressibility factor } Z & \frac{p(\tau,\delta,x)\overline{V}}{R_mT} = 1 + \delta\Phi_{\delta}^* \\ \text{Molar internal energy} & \frac{\overline{U}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_mT} = \tau^{\circ}\Phi_{\tau^{\circ}}^* + \tau\Phi_{\tau}^* \\ \text{Molar enthalpy} & \frac{\overline{H}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_mT} = 1 + \delta\Phi_{\delta}^* + \tau^{\circ}\Phi_{\tau^{\circ}}^* + \tau\Phi_{\tau}^* \\ \text{Molar entropy} & \frac{\overline{S}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_m} = \tau^{\circ}\Phi_{\tau^{\circ}}^* + \tau\Phi_{\tau}^* - \Phi^{\circ} - \Phi^{\circ} \\ \text{Molar isochoric heat capacity} & \frac{\overline{C}_{\nu}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_m} = \tau^{\circ}\Phi_{\tau^{\circ}}^* + \tau\Phi_{\tau}^* - \tau^{\circ}\Phi_{\tau^{\circ}}^* - \tau^{\circ}\Phi_{\tau^{\circ}}^* \\ \text{Molar isobaric heat capacity} & \frac{\overline{C}_{\nu}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_m} = -\tau^{\circ}\Phi_{\tau^{\circ}}^* - \tau^{\circ}\Phi_{\tau^{\circ}}^* - \tau^{\circ}\Phi_{\tau^{\circ}}^* \\ \text{Molar isobaric heat capacity} & \frac{\overline{C}_{\nu}(\tau,\delta,\tau^{\circ},\delta^{\circ},x)}{R_m} = \frac{\overline{C}_{\nu}}{R_m} + \frac{(1 + \delta\Phi_{\delta}^* - \delta\tau\Phi_{\delta}^*)^2}{1 + 2\delta\Phi_{\delta}^* + \delta^{\circ}\Phi_{\delta}^* + \delta^{\circ}\Phi_{\delta}^*} \\ \text{Speed of sound} & \frac{\psi^2(\tau,\delta,\tau^{\circ},\delta^{\circ},x)M}{R_mT} = 1 + 2\delta\Phi_{\delta}^* + \delta^{\circ}\Phi_{\delta}^* + \delta^{\circ}\Phi_{\delta}^* + \frac{(1 + \delta\Phi_{\delta}^* - \delta\tau\Phi_{\delta}^*)^2}{(\overline{C}_{\nu}/R_m)} \\ \text{In}[Z\varphi_1(\tau,\delta,x)] = \Phi^r + \delta\Phi_{\delta}^* + (1 - x)F_{\varphi} \\ & \text{Abtreviations:} \\ \Phi_{\tau}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\delta,x}, \Phi_{\tau^{\circ}}^* = \left(\frac{\partial^2\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\delta,x}, \Phi_{\tau}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\delta}\right)_{\tau,x}, \Phi_{\delta}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\delta}\right)_{\tau,x} \\ \Phi_{\tau\tau}^* = \left(\frac{\partial^2\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\delta,x}, \Phi_{\tau^{\circ}}^* = \left(\frac{\partial^2\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\tau}, \Phi_{\delta}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\delta}\right)_{\tau,x} \\ \Phi_{\tau\tau}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\delta,x}, \Phi_{\tau^{\circ}}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\tau^{\circ}}\right)_{\tau}, \Phi_{\delta}^* = \left(\frac{\partial\Phi^{\circ}}{\partial\delta}\right)_{\tau,x} \\ \left[F_{\varphi} = \Phi_{\tau}^* + \frac{\delta}{V_n} \frac{dV_n}{dx} \Phi_{\delta}^* + \frac{\tau}{T_n} \frac{dT_n}{dx} \Phi_{\tau}^* \right] \\ \end{array}$$

The data analysis was carried out simultaneously with the development of the equation of state presented here. Starting with the entire set of experimental data, interim results for the equation of state were used to compare measurements and to eliminate data which showed large scatter or significant systematic deviations. This process was repeated several times with more stringent criteria imposed at each step. Since the Helmholtz free energy model established here consists of a single expression describing the whole thermodynamic space, systematic deviations of data from the model are also an indicator for thermodynamic inconsistencies between measurements of different properties, especially between single-phase and two-phase properties.

The results of the data analysis are given by Tillner-Roth and Friend¹⁹ for all available sets of measurements. From these results, the following experimental data were selected to establish the fundamental equation of state for {water +ammonia}:

- (i) 402 (p,T,x) data of Sassen *et al.*, ²³ Postma, ²⁴ Mollier, ²⁵ and Perman, ²⁶
- (ii) 265 (p,T,x,y) data of Smolen *et al.*,²⁷ Polak and Lu,²⁸ and Iseli,²⁹
- (iii) 57 saturated liquid densities of Jennings,³⁰
- (iv) 1208 liquid (p, \overline{V}, T, x) data of Harms-Watzenberg, ³¹
- (v) 599 vapor (p, \overline{V}, T, x) data of Harms-Watzenberg³¹ and of Ellerwald, ³²
- (vi) 92 excess enthalpies in the liquid of Staudt,³³

- (vii) 146 enthalpies of the saturated liquid of Zinner,³⁴
- (viii) 98 isobaric heat capacities reported by Hildenbrand and Giauque,³⁵ Chan and Giauque,³⁶ and by Wrewsky and Kaigorodoff.³⁷

The isobaric heat capacities from References 35 and 36 were found to be inconsistent with the enthalpies measured by Zinner,³⁴ as shown by Tillner-Roth and Friend.¹⁹ Since these were the only caloric data at low temperatures, they were nevertheless included, although with a low weight, to give the equation of state at least some support in the low temperature liquid region. In addition to the selected data, the (p,T,x,y) data of Gillespie *et al.*³⁸ were generally included for comparisons during the optimization process. However, since they overlap the selected data, they were not used in fitting the coefficients.

In contrast to other correlations, no tabulated data like those of Macriss *et al.*⁴ were used in this work, because the accuracy of tabulated values may be affected by the choice and weight of experimental input data used to generate the numbers.

At high temperatures and pressures, only experimental data for the (p,T,x) and (p,T,x,y) behavior are available. Coexisting densities in the critical region were obtained from a modified Leung–Griffiths model which was established simultaneously with the present equation of state. Details of the Leung–Griffiths formulation for {water+ammonia} will be published in a separate paper.³⁹ The Leung–Griffiths for-

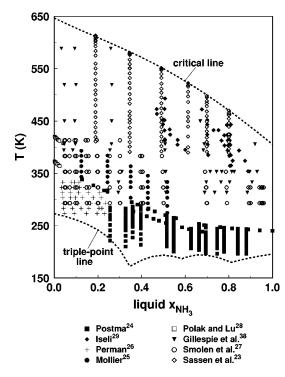


Fig. 1. Distribution of selected (p,T,x) and (p,T,x,y) data.

malism was chosen because it is based on scaling law theory and is able to accurately describe VLE behavior of mixtures in the critical region. Equilibrium data $(p,T,x,y,\varrho',\varrho'')$ were calculated from an interim Helmholtz free energy equation up to about three-fourths of the critical pressure. These data served as input during a subsequent optimization of the Leung–Griffiths model. Additionally, experimental (p,T,x) and (p,T,x,y) data were also considered in this stage. Densities from the improved Leung–Griffiths model in the critical region were included during a subsequent improvement of the Helmholtz free energy model.

VLE data (Fig. 1) cover the whole two-phase region between the solid-liquid-vapor boundary and the critical line. Single-phase properties (Fig. 2) are restricted to temperatures between 200 K and 413 K in the liquid reaching up to 40 MPa. In the vapor, available data cover temperatures between 323 K and 523 K at pressures up to 10 MPa and densities up to 1.5 mol dm⁻³. Leung-Griffiths data $(p,T,x,y,\varrho',\varrho'')$ were used for four temperatures between 450 K and 600 K. They are shown in Fig. 3 together with selected saturated liquid densities and enthalpies.

4. The Optimization Process

Several tasks had to be simultaneously accomplished during the optimization process:

- (i) fitting all adjustable parameters to the selected experimental data,
- (ii) finding a structure for the reducing functions $T_n(x)$ and $\overline{V}_n(x)$ and the departure function $\Delta \Phi^r$,
- (iii) assessing and modifying the database,

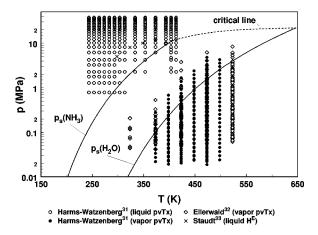


Fig. 2. Distribution of selected experimental data in the single-phase regions.

(iv) checking the behavior of the interim equation in the entire thermodynamic space.

Two optimization methods were employed. A modified Marquard–Fletcher algorithm developed by Dennis *et al.*⁴⁰ was used for all nonlinear optimizations. The structure of the departure function was determined using the implementation of Wagner's regression analysis, ⁴¹ which was developed at the Institute of Thermodynamics, University of Hannover, Germany. ⁴²

A weighted sum of squares

$$S = \sum_{i} \left(\frac{Y_{i}^{\text{exp}} - Y_{i}^{\text{calc}}}{s_{i}} \right)^{2} \tag{14}$$

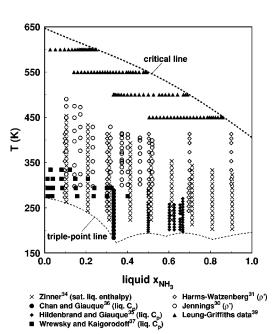


Fig. 3. Distribution of selected saturated liquid densities, enthalpies and isobaric heat capacities.

was used for the objective function. For the nonlinear optimization, it was formulated according to the direct method described by Ahrendts and Baehr. ⁴³ In this case, Y_i can be any thermodynamic property and s_i is the corresponding total uncertainty estimated from experimental uncertainties according to the Gaussian error propagation law.

The sum of squares for the regression analysis is formulated differently. Since this optimization method is used to find the structure of the departure function, only the contribution of an experimental value to $\Delta\Phi^{\rm r}$ can be used for the quantity Y_i . For a given set of reducing functions, this contribution can be extracted from any experimental property which depends linearly on the coefficients of the departure function. The quantity Y for a (p, \overline{V}, T, x) value, for example, is calculated from

$$Y = \left(\frac{\partial \Delta \Phi^{r}}{\partial \delta}\right)_{\tau} = \left[\frac{1}{\delta} \left(\frac{p \overline{V}}{R_{m} T} - 1\right) - (1 - x) \left(\frac{\partial \Phi^{r}_{01}}{\partial \delta}\right)_{\tau} - x \left(\frac{\partial \Phi^{r}_{02}}{\partial \delta}\right)_{\tau}\right]. \tag{15}$$

In this case, Y is linearly related to the first derivative of $\Delta \Phi^{\rm r}$ with respect to δ . Similar linear relations can be derived for other properties.

Nonlinear properties have to be linearized before they can be considered during the regression analysis. Regarding the data situation for {water+ammonia}, this is important for VLE data which form the major part of the database. It is essential to use this experimental information during the linear regression analysis in order to formulate an accurate departure function. The linearization of VLE data is described in Appendix A.

In a first step, only the coefficients k_T and k_V of the reducing functions $T_n(x)$ and $\overline{V}_n(x)$ were optimized with the departure function $\Delta\Phi^{\rm r}$ in Eq. (6) set to zero. With this first equation, the available experimental data were assessed in order to identify unreliable measurements which were subsequently discarded from the database. It was also used for the linearization of VLE data to be included in the subsequent search for the departure function. The assessment of experimental data was repeated each time an improved equation of state was found.

The structure of the departure function was determined using Wagner's regression analysis.⁴¹ Wagner's method allows the correlator to select from a bank of terms those terms which represent a given data set with the lowest possible value of the objective function.

The initial departure function was formulated from a bank of about 400 terms of the forms

$$x(1-x^{\gamma})\delta^{m}\tau^{n}$$
 and $x(1-x^{\gamma})\delta^{m}\tau^{n}\exp(-\delta^{e})$

where 1 < m < 5, -0.5 < n < 20, and 1 < e < 4. The exponent γ remains constant during the regression analysis, and is optimized only in the nonlinear process.

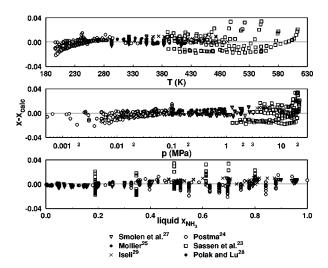


Fig. 4. Deviations between liquid mole fractions x and values from Eq. (1).

After a few steps of optimization, it became clear that these terms did not sufficiently describe the composition dependence of $\Delta\Phi^{r}$. Therefore, terms of the form

$$x^{2}(1-x^{\gamma})\delta^{m}\tau^{n}\exp(-\delta^{e})$$
 and $x^{3}(1-x^{\gamma})\delta^{m}\tau^{n}\exp(-\delta^{e})$

were also included, bringing the total number of candidate terms to about 850. Subsequently, terms with e>2 were no longer selected. Therefore, the number of terms was restricted to about 650.

The search for the functional form of the departure function was initially based only on (p, \overline{V}, T, x) data and on linearized VLE properties which were obtained from the interim equation. As the equation became more accurate, linearized enthalpy and heat capacity data were also included.

5. Discussion

In the following sections, the behavior of the equation of state in the different regions of the thermodynamic space is examined. In addition to comparisons with selected experimental data, the general behavior of density, enthalpy, entropy, and heat capacity is discussed in regions where experimental data are scarce or unavailable. The equation of state is also extrapolated into the supercritical region. Comparisons for data which are not discussed here are given by Tillner-Roth and Friend¹⁹ where the same equation of state has been used.

5.1. Vapor and Liquid Compositions

Experimental VLE data for the (p,T,x,y) behavior form the major part of available measurements. In Figs. 4 and 5, the liquid and vapor mole fractions x and y are compared with values which were obtained from flash calculations for given p and T. Absolute deviations of liquid mole fractions are plotted in Fig. 4 versus temperature, pressure and liquid composition for the data sets selected for the optimization.

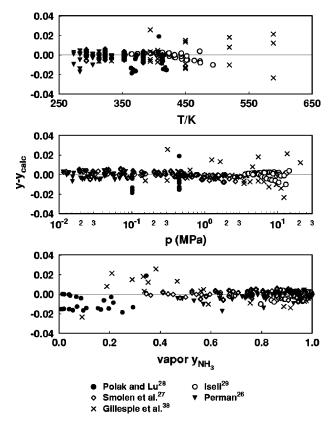


Fig. 5. Deviations between vapor mole fractions y and values from Eq. (1).

At temperatures below 250 K, a slight systematic deviation is observed reaching -0.02 in x for the lowest temperatures around 200 K. Above 250 K up to around 390 K liquid mole fractions are represented within ± 0.01 , which is within the scatter of experimental data. Systematic deviations are observed for some of the data measured by Sassen et al.²³ Sassen's measurements at x = 0.189 and x = 0.346 show an offset of -0.01 in x compared to the data of Iseli²⁹ and Smolen et al.²⁷ in their overlapping temperature range. The mole fractions of these two series of Sassen et al., therefore, were shifted to x = 0.199 and x = 0.355 during the optimization, so that they smoothly connect to the other selected data. However, the data shown in Fig. 4 are Sassen's original values. At high temperatures close to the critical temperature line, deviations in x increase up to 0.04 in mole fraction. For {water+ammonia} the dew-bubble curves are extremely flat in the vicinity of the critical line (see Fig. 11) and large deviations in x or y correspond to only small deviations of pressure. No other systematic pattern is observed for the deviations when they are plotted over pressure or liquid mole fraction x, except for the deviations at low and high temperatures discussed before. Representation of experimental data is mostly within ± 0.01 .

Comparisons for vapor compositions y are given in Fig. 5 for selected data sets. The new EOS represents the vapor mole fractions generally within ± 0.01 or better, with the exception of data at high temperatures and pressures where

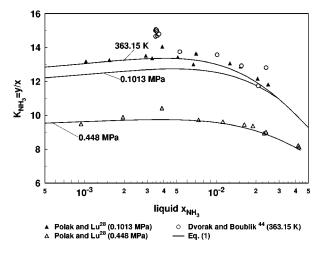


Fig. 6. Distribution coefficient K of ammonia in dilute solutions.

deviations increase up to ± 0.03 when approaching the critical locus.

The good representation is partially due to the fact that the vapor mole fraction is close to 1 over a large range of temperature and pressure. In this region, the vapor phase behavior is dominated by the ammonia equation of state, which is very accurate in the gaseous phase. In the range of intermediate and low vapor mole fractions, the dew curve is very flat at low temperatures. Small uncertainties in pressure result in considerable deviations for the vapor composition. Accordingly, a scatter of ± 0.02 or less in y is a remarkable result.

In the range of very dilute ammonia solutions, only a few data are available. The distribution coefficient K=y/x of ammonia is plotted over liquid mole fraction in Fig. 6 and is compared with experimental results at two different pressures and for one temperature. The K values obtained from (p,T,x,y) measurements of Polak and Lu²⁸ agree very well with the values obtained from Eq. (1), especially at 0.448 MPa where they are represented almost within the experimental scatter. At 0.1013 MPa they are slightly higher than K values from Eq. (1). Data of Dvorak and Boublik⁴⁴ are compared for T=363.15 K. At liquid mole fractions around 0.01 agreement is good, while at lower mole fractions the experimental distribution coefficients are higher than the calculated results. Furthermore, the uncertainty seems to increase for the more dilute systems.

5.2. Saturated Liquid Density

Measured saturated liquid densities cover temperatures between 243 K and 500 K. Densities at high temperatures are available only for water-rich mixtures and, thus, do not extend into the critical region. Measurements of King *et al.*, ⁴⁵ Jennings, ³⁰ and Harms-Watzenberg ³¹ are compared with results from the equation of state in Fig. 7. Densities are generally represented within $\pm 1\%$ over the entire range of temperature and composition. None of the three data sets shows a systematic pattern in the deviations, except the densities of Jennings ³⁰ at x = 0.8 which are probably too high.

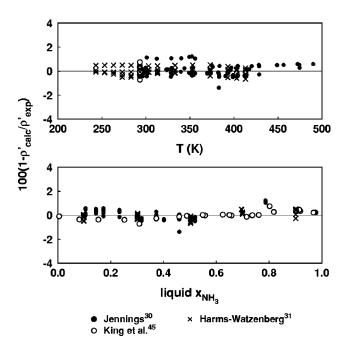


Fig. 7. Deviations between saturated liquid densities and values from Eq. (1).

5.3. Caloric Properties of the Saturated Liquid

For the saturated liquid, Zinner³⁴ published a smoothed table of enthalpy data instead of the original measurements. These tabulated values were used during the correlation process to establish Eq. (1) because no other enthalpy data were available in this range. In addition to these enthalpies, liquid isobaric heat capacities were reported by two groups^{35,36} at very low temperatures. These heat capacities were probably measured under atmospheric pressure and, therefore, do not exactly overlap the enthalpies. However, they are located very close to the saturation boundary and, therefore, significantly influence the representation of the caloric properties of the saturated liquid.

Unfortunately, the enthalpies and heat capacities are inconsistent, as described by Tillner-Roth and Friend. ¹⁹ Since no other enthalpy or heat capacity measurements are available in this range, it is not clear which data set is more reliable. This inconsistency can be resolved only by new reliable measurements of heat capacity or enthalpy. Since enthalpies and heat capacities were included during the optimization to prevent the development of nonphysical behavior at low temperatures, systematic deviations are observed for both properties where experimental data overlap.

In Fig. 8, Zinner's enthalpies are compared with results from Eq. (1). They are represented within ± 300 J/mol over the entire temperature range of his experiments; this is about twice our estimate of the experimental uncertainty. The largest deviations occur at low temperatures, where the tabulated data of Zinner may be an extrapolation of his underlying experimental results. At temperatures above 370 K, deviations are within ± 150 J mol⁻¹ and thus correspond to the experimental uncertainty. Deviations are negative at liquid

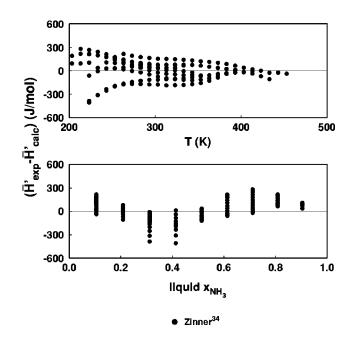


Fig. 8. Deviations between saturated liquid enthalpies and values from Eq. (1).

mole fractions between 0.3 and 0.4 and positive around x=0.7. This behavior is due to the inconsistency between enthalpies and heat capacities, which were measured between x=0.333 and x=0.67.

Heat capacities are discussed in Fig. 9. The negative deviations of up to 10% observed for the data of Giauque and his co-workers^{35,36} reflect the inconsistency between these heat capacities and the saturated liquid enthalpies of Zinner. Deviations for the heat capacities of Wrewsky and

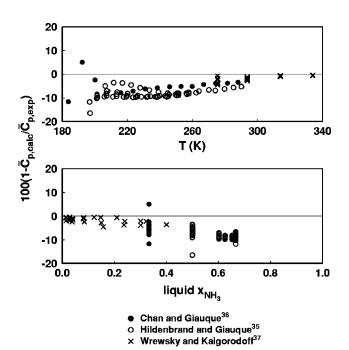


Fig. 9. Deviations between isobaric heat capacities and values from Eq. (1).

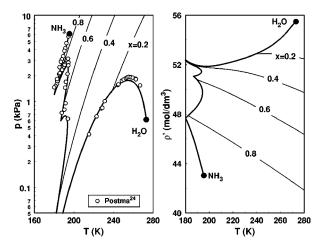


Fig. 10. Equilibrium pressures and saturated liquid densities at the solid–liquid–vapor boundary from Eq. (1).

Kaigorodoff, 37 measured at higher temperatures, are only within $\pm 4\%$. These data seem to be more consistent with Zinner's results than the heat capacities from Refs. 35 and 36.

5.4. Pressure and Density at the Solid-Liquid-Vapor Boundary

The solid-liquid-vapor temperature as a function of mixture composition is described by the correlation given by Tillner-Roth and Friend. 19 When the reduced temperature $T_{tr}(x)/T_n(x)$ is calculated at this boundary, values down to 0.28 are obtained. The lower temperature limits of the pure fluid equations of state are given by the respective triple point temperatures corresponding to $T_{tr,01}/T_{c,01} = 0.43$ for water and $T_{\rm tr,02}/T_{\rm c,02}$ = 0.48 for ammonia. Since the mixture model uses pure fluid equations combined at constant reduced variables, the pure fluid equations must be extrapolated considerably beyond their lower temperature limits for calculation of properties close to the three-phase locus. Any spurious behavior due to extrapolation has to be compensated for by the departure function, in order to achieve an adequate representation of thermodynamic properties of the {water+ammonia} mixture close to its three-phase locus.

At low temperatures, Eq. (1) has been fitted to experimental (p,T,x) data of Postma²⁴ down to 200 K and to liquid densities from Harms-Watzenberg³¹ reaching down to 243.15 K. The behavior at very low temperatures is illustrated by Fig. 10. Equilibrium pressures and liquid densities shown in this graph were obtained from VLE calculations for a given x and a temperature obtained from the triple-point temperature equation established by Tillner-Roth and Friend.¹⁹ The results are shown in Fig. 10. For comparison, triple-point pressures measured by Postma²⁴ are also included. No density measurements are available below 243 K.

Postma's equilibrium pressures are represented fairly well over the full range of the solid-liquid-vapor boundary. Triple-point pressures are extremely low (<50 Pa) near the eutectic point at x=0.33. In addition to the pressures on the

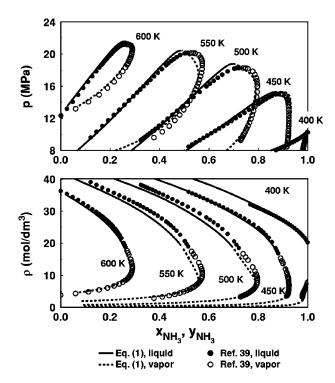


Fig. 11. Dew-bubble curves and coexisting densities at high temperatures.

three-phase boundary, equilibrium pressures were calculated along lines of constant composition. These lines show a physically reasonable shape in the entire range of composition.

An interesting result is obtained for the saturated liquid density along the solid-liquid-vapor boundary. Starting from pure water, the density decreases for increasing ammonia content until a minimum is reached around 200 K and $x\approx0.28$. Towards the eutectic point at x=0.33, Eq. (1) predicts an increasing density. Since no experimental data are available in this region, no conclusion can be drawn whether this prediction is correct or not. For liquid mole fractions increasing above x=0.33, liquid density decreases again towards the triple-point liquid density of ammonia at x=1.

5.5. The Two-Phase Envelope at High Temperatures

From the set of selected data, only the (p,T,x) data of Sassen *et al.*²³ and some (p,T,x,y) data of Iseli²⁹ at high ammonia concentrations extend to the critical locus. Deviations of vapor and liquid composition were already discussed in Figs. 4 and 5. In this section, the general form of the two-phase envelope is the topic of interest.

Properties on the two-phase boundary are shown in Figs. 11 and 12 in the near-critical range for five temperatures between 400 K and 600 K. Coexisting densities and (p,T,x,y) data from the modified Leung-Griffiths model established by Rainwater and Tillner-Roth³⁹ for the critical region of {water+ammonia} are included in Fig. 11.

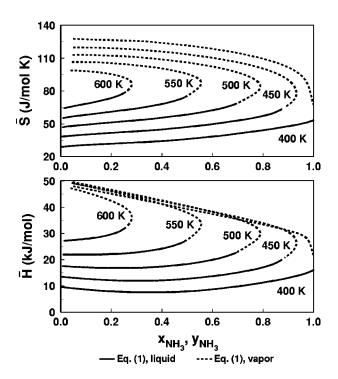


Fig. 12. Enthalpy and entropy on the two-phase boundary at high temperatures.

Slight differences between results from Eq. (1) and the Leung–Griffiths model are observed for 500 K and 550 K close to the critical locus. Vapor mole fractions from the Leung–Griffiths model are higher by about 0.03 to 0.05, liquid mole fractions are higher by up to 0.02 than values from Eq. (1) for these isotherms. Agreement between the two models for liquid and vapor compositions is good at 400 K, 450 K, and 600 K.

Differences between coexisting densities correspond to the deviations observed for the (p,T,x,y) behavior. Agreement is excellent for the isotherms at 400 K, 450 K, and 600 K, while the coexistence curves at 500 K and 550 K from Eq. (1) are shifted to slightly lower ammonia mole fractions compared to the Leung–Griffiths data. Reasonable behavior is also observed for entropy and enthalpy on the two-phase envelope, Fig. 12. The curves for all isotherms go smoothly from the saturated vapor to the saturated liquid. It has to be emphasized again that no experimental densities or caloric properties are available to verify the accuracy of these predictions.

5.6. Properties of the Compressed Liquid

Equation (1) has been fitted to the extensive set of liquid densities measured by Harms-Watzenberg. His results are compared with Eq. (1) in Fig. 13. The data are represented within $\pm 0.8\%$ with a few exceptions where his results approach the critical region at high ammonia mole fractions. At temperatures below 300 K, the data show larger scatter, but

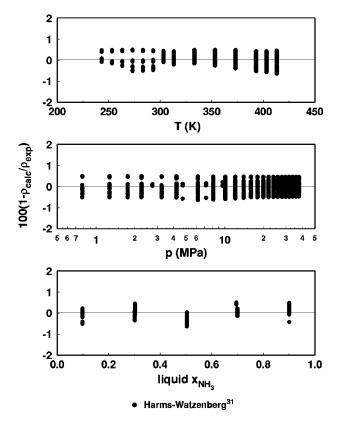


Fig. 13. Deviations between liquid densities and values from Eq. (6).

on average they are represented well. Other data, which all overlap the results of Harms-Watzenberg, are discussed by Tillner-Roth and Friend.¹⁹

In addition to density, the enthalpy of mixing has also been measured in the liquid phase. Results of Staudt³³ are compared with results from Eq. (1) in Fig. 14. The enthalpy of mixing is almost independent of pressure and temperature in the range of available experimental data between 298 K and 373 K and at pressures between 2 MPa and 12 MPa. Higher deviations occur only at intermediate mole fractions around x=0.5, where differences of about -250 J mol⁻¹ are observed at high temperatures. The excess enthalpy is particularly well represented for x>0.6.

5.7. Properties of Superheated Vapor

Two sets of (p, \overline{V}, T, x) properties are available in the vapor phase. In Fig. 15 density deviations are plotted for both sets over p, T, and x. Most data are represented within $\pm 0.5\%$ in the entire range of experiments. Deviations for the data of Harms-Watzenberg generally increase with increasing pressure, reaching +1.3% at high temperatures. Ellerwald's data do not show this behavior. Deviations for his densities remain within $\pm 0.5\%$ at pressures up to 10 MPa.

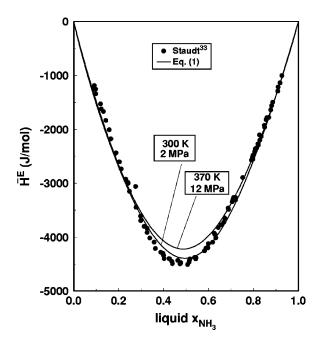


Fig. 14. Molar excess enthalpy \overline{H}^E in the liquid.

5.8. The Supercritical Region

No experimental data are available in the supercritical region. Therefore, only the general behavior of the equation of state can be analyzed. For this purpose, the compressibility factor $Z = p \overline{V}/(R_m T)$ and the reduced enthalpy $\overline{H}/(R_m T_n)$

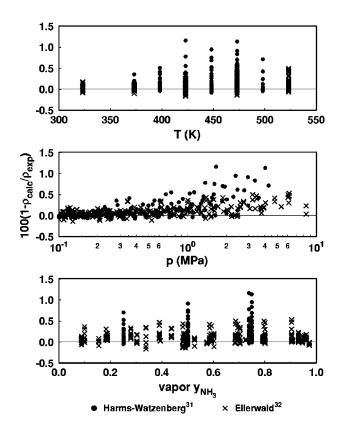


Fig. 15. Deviations between vapor densities and values from Eq. (1).

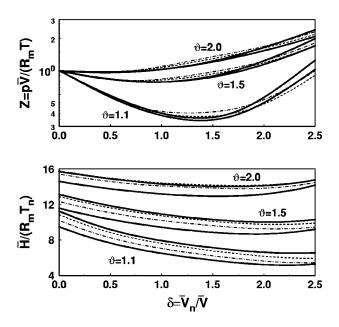


Fig. 16. Compressibility factor Z and reduced enthalpy $\overline{H}/(R_m T_n)$ in the supercritical region for three reduced temperatures. (——) pure components; (---)x=1/3; (---)x=2/3.

are plotted over the reduced density δ in Fig. 16. The reducing functions, Eqs. (9) and (10), were used to calculate $\delta(x) = \overline{V}_n(x)/\overline{V}$ and $\vartheta = 1/\tau = T/T_n(x)$. Results are shown for the pure components and for the mixtures at x = 1/3 and x = 2/3 for three reduced temperatures $\vartheta = T/T_n = 1/\tau$ at 1.1, 1.5, and 2.0.

Reasonable behavior is obtained for all three temperatures. The compressibility factor of the mixtures shows about the same behavior as for the pure fluids, although it is slightly higher for the mixtures around δ =1.2 than for the pure components. This might be a property of the mixture, but it is also possible that there is a small structural error in the equation of state, due to the lack of experimental data in this region.

Enthalpies for the mixtures are located between the enthalpies for the pure components for ϑ up to 1.5. At ϑ =2, the enthalpy of the mixture is closer to the enthalpy of pure ammonia, especially around δ =1.5. This behavior corresponds to the observations for the compressibility factor Z. Experimental data in the supercritical region are required to determine whether or not this result is correct.

Overall, the behavior of the equation of state is reasonable even when extrapolated to $2 \times T_n$ which corresponds to 810 K for ammonia and to 1295 K for pure water. However, since no experimental data are available in this region, no estimates of accuracy can be given for supercritical states.

6. Conclusions

A fundamental equation of state for the Helmholtz free energy of {water+ammonia} has been established from

which all thermodynamic properties can be derived by thermodynamic relations. The entire thermodynamic space from vapor to liquid, including VLE, is described by a single mathematical expression.

The Helmholtz free energy model covers the entire two-phase region between the solid-liquid-vapor boundary and the critical locus. The uncertainty of liquid and vapor mole fractions is about ± 0.01 except in the vicinity of the critical locus, where it can increase up to 0.04. Enthalpies and densities show a reasonable behavior on the whole two-phase envelope, although experimental data for these properties are available only in a limited range of temperature and composition.

Experimental data in the single-phase regions are restricted to subcritical temperatures, for the liquid below 420 K and 40 MPa and for the vapor for pressures below 10 MPa. Typical uncertainties are $\pm 0.3\%$ for the density and ± 200 J/mol for enthalpy in this range. No experimental data are available for supercritical temperatures. Extrapolation into the supercritical area gives reasonable results, but the accuracy in these regions is unknown.

In conclusion, the new equation of state represents the currently available measurements mostly within the limits of experimental error, but more experimental data are needed in order to verify the reliability of calculated thermodynamic properties especially in the single-phase regions.

7. Acknowledgments

This work has been carried out at NIST from April 1995 to March 1996. R. T.-R. thanks W. M. Haynes and M. O. McLinden for the opportunity to work at NIST as a guest researcher. Partial support from the U.S. Department of Energy, Geothermal Division, is gratefully acknowledged.

8. Appendices

8.1. Appendix A: Linearization of VLE Data

The vapor-liquid equilibrium of a binary mixture is calculated by solving simultaneously the four equations

$$p = p(\overline{V}', T, x), \tag{A1}$$

$$p = p(\overline{V}'', T, y), \tag{A2}$$

$$(1-x) \varphi_1(\overline{V}', T, x) = (1-y) \varphi_1(\overline{V}'', T, y),$$
 (A3)

$$x \varphi_2(\overline{V}', T, x) = y \varphi_2(\overline{V}'', T, y). \tag{A4}$$

 φ_i is the fugacity coefficient of component *i* calculated as given in Table 3; *x* and *y* are the liquid and vapor mole fractions of component 2.

When an interim equation is known from which the VLE can be calculated, these four equations can be linearized and the information of a VLE measurement can be included in the linear regression analysis to determine the functional form of $\Delta\Phi^{r}$. Regardless of the type of experimental VLE data, (p,T,x), (p,T,x,y), or (p,T,y) values, the interim

equation of state is used to determine the properties remaining to complete the full information $(p,T,x,y,\overline{V}',\overline{V}'')$ for a vapor-liquid equilibrium state. For a (p,T,x) value, for example, y, \overline{V}' , and \overline{V}'' have to be calculated.

From the first two equations two independent conditions can be determined for the saturated vapor and saturated liquid which are identical to those for single-phase (p, \overline{V}, T, x) data as described in Section 4. Using the formula from Table 3 for calculation of the fugacity coefficient, Eqs. (A3) and (A4) transform into

$$\ln \frac{1-x}{1-y} = -\ln \frac{Z''}{Z'} + \Phi^{r''} - \Phi^{r'} + \delta'' \Phi^{r''}_{\delta''} - \delta' \Phi^{r'}_{\delta}$$

$$-y(\Phi^{r''}_{x} + \tau'_{x} \Phi^{r''}_{\tau} + \delta''_{x} \Phi^{r''}_{\delta})$$

$$+x(\Phi^{r'}_{x} + \tau_{x} \iota \Phi^{r'}_{\tau} + \delta'_{x} \Phi^{r'}_{\delta}), \qquad (A5)$$

$$\ln \frac{x}{y} = -\ln \frac{Z''}{Z'} + \Phi^{r''} - \Phi^{r'} + \delta'' \Phi^{r''}_{\delta} - \delta' \Phi^{r'}_{\delta}$$

$$+(1-y)(\Phi^{r''}_{x} + \tau''_{x} \Phi^{r''}_{\tau} + \delta''_{x} \Phi^{r''}_{\delta})$$

$$-(1-x)(\Phi^{r''}_{x} + \tau''_{x} \Phi^{r''}_{\tau} + \delta''_{x} \Phi^{r'}_{\delta}). \qquad (A6)$$

Partial differentials are abbreviated as in Table 3. Reduced variables for the saturated vapor are given by

$$\delta'' = \frac{\overline{V}_n(y)}{\overline{V}''}$$
 and $\tau'' = \frac{T_n(y)}{T}$;

those of the saturated liquid are

$$\delta' = \frac{\overline{V}_n(x)}{\overline{V}'}$$
 and $\tau' = \frac{T_n(x)}{T}$.

The derivatives of the reduced variables with respect to x are abbreviated as

$$\tau_x = \left(\frac{\partial \tau}{\partial x}\right)_T$$
 and $\delta_x = \left(\frac{\partial \delta}{\partial x}\right)_{\varrho}$.

Upon introducing the general structure of the residual Helmholtz free energy of the binary mixture,

$$\Phi^{r} = (1 - x)\Phi_{01}^{r} + x\Phi_{02}^{r} + \Delta\Phi^{r},$$
 (A7)

the contributions of the departure function can be separated from the contributions of the pure fluid equations in Eqs. (A5) and (A6):

$$\begin{split} Y_1 &= \ln \frac{1-x}{1-y} + \ln \frac{Z''}{Z'} - A = \Delta \Phi^{\mathbf{r}''} - \Delta \Phi^{\mathbf{r}'} - y \Delta \Phi_x^{\mathbf{r}''} + x \Delta \Phi_x^{\mathbf{r}'} \\ &+ (\delta'' - y \delta_x'') \Delta \Phi_\delta^{\mathbf{r}''} - (\delta' - x \delta_x') \Delta \Phi_\delta^{\mathbf{r}'} - y \tau_x'' \Delta \Phi_\tau^{\mathbf{r}''} \\ &+ x \tau_x' \Delta \Phi_\tau^{\mathbf{r}'}, \end{split} \tag{A8}$$

$$\begin{split} Y_2 &= \ln \frac{x}{y} + \ln \frac{Z''}{Z'} - B = \Delta \Phi^{r''} - \Delta \Phi^{r'} + (1 - y) \Delta \Phi^{r''}_{x} \\ &- (1 - x) \Delta \Phi^{r'}_{x} + [\delta'' + (1 - y) \delta''_{x}] \Delta \Phi^{r''}_{\delta} \\ &- [\delta' + (1 - x) \delta'_{x}] \Delta \Phi^{r'}_{\delta} + (1 - y) \tau''_{x} \Delta \Phi^{r''}_{\tau} \\ &- (1 - x) \tau'_{x} \Delta \Phi^{r'}_{\tau}. \end{split} \tag{A9}$$

A and B are determined only from the pure fluid equations and are given by

$$A = \Phi_{01}^{r}{}'' - \Phi_{01}^{r}{}' + (\delta'' - y\delta''_{x})[(1 - y)\Phi_{01,\delta}^{r}{}'' + y\Phi_{02,\delta}^{r}{}'']$$

$$- (\delta' - x\delta'_{x})[(1 - x)\Phi_{01,\delta}^{r}{}' + x\Phi_{02,\delta}^{r}{}']$$

$$- y\tau_{x}{}'[(1 - y)\Phi_{01,\tau}^{r}{}'' + y\Phi_{02,\tau}^{r}{}'']$$

$$+ x\tau'_{x}[(1 - x)\Phi_{01,\tau}^{r}{}' + x\Phi_{02,\tau}^{r}{}'], \tag{A10}$$

and

$$B = \Phi_{02}^{r} '' - \Phi_{02}^{r} ' + [\delta'' + (1 - y)\delta_{x}''][(1 - y)\Phi_{01,\delta}^{r} '' + y\Phi_{02,\delta}^{r} '']$$

$$- (\delta' + (1 - x)\delta_{x}')[(1 - x)\Phi_{01,\delta}^{r} ' + x\Phi_{02,\delta}^{r} ']$$

$$+ (1 - y)\tau_{x}''[(1 - y)\Phi_{01,\tau}^{r} '' + y\Phi_{02,\tau}^{r} '']$$

$$- (1 - x)\tau_{x}'[(1 - x)\Phi_{01,\tau}^{r} ' + x\Phi_{02,\tau}^{r} ']. \tag{A11}$$

The two quantities Y_1 and Y_2 are linear with respect to the coefficients of the departure function as long as a linear combination of terms is used for $\Delta\Phi^{\rm r}$ and as long as all variables τ , δ and the composition of the saturated liquid and saturated vapor are given.

For (p,T,x) properties it proved to be effective to calculate \overline{V}' for the experimental values of p, T, and x from an interim Helmholtz equation of state. The vapor mole fraction v is obtained from a flash calculation for given p and T; \overline{V}'' is calculated with the same equation using the experimental p and T, and the calculated mole fraction y. For (p,T,x,y)properties, only \overline{V}' and \overline{V}'' have to be calculated using the experimental (p,T,x) or (p,T,y). Although the calculated properties may not be very reliable during the first step, their accuracy increases with the accuracy of the interim equation of state. The quantities Y_1 and Y_2 have to be recalculated whenever an improved equation has been found, and a new search for the departure function is initiated. Recalculation of the quantities A and B is also necessary whenever the coefficients of the reducing functions $T_n(x)$ and $\overline{V}_n(x)$ have been readjusted.

8.2. Appendix B: Tables of Thermodynamic Properties

Tables of thermodynamic properties are provided for the two-phase envelope, Table 4, and for the single-phase region, Table 5. For the two-phase region, pressure, density, enthalpy, and entropy are given as functions of temperature and composition. Values are listed for the bubble-point curve and for the dew-point curve. Mass based units have been

chosen. Compositions are given in terms of mass fractions ξ of ammonia. At temperatures below 0 °C, the solid region is encountered and no VLE exist for most tabulated vapor compositions. At high temperatures, the VLE region is restricted by the critical line. In the single-phase region, properties were calculated on isobars as functions of temperature and mass fraction of ammonia.

9. References

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TABLE 4. Saturation properties of {water+ammonia}

				Bu	ıbble po	$\frac{1}{1}(\xi' =$	$\overline{\xi}$)					De	w point	$(\xi'' = \overline{\xi})$	$\overline{\overline{\xi}}$)	s' s" kJ/(kg K) 0.1622 7.3803 0.3675 7.1318							
t	$\overline{oldsymbol{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	$s^{\prime\prime}$						
°C		kPa		kg/	m ³	kJ/	kg	kJ/(kg	g K)	kPa		kg/	m ³	kJ_{I}	/kg	$\mathrm{kJ/(l}$	kg K)						
-70	$\begin{array}{c} 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \end{array}$	0.59 1.52 3.44 6.05 8.29 9.82 10.94	0.99978 0.99996 0.99999 1.00000 1.00000 1.00000	$\begin{array}{c} 910.06 \\ 895.37 \\ 872.62 \\ 840.22 \\ 800.84 \\ 760.62 \\ 724.72 \end{array}$	0.0060 0.0153 0.0347 0.0612 0.0840 0.0996 0.1110	$\begin{array}{c} -376.36 \\ -370.71 \\ -342.55 \\ -280.46 \\ -189.52 \\ -83.00 \\ 32.33 \end{array}$	1501.9 1501.5 1500.9 1500.1 1499.5 1499.0 1498.7	$\begin{array}{c} -0.8478 \\ -0.7632 \\ -0.7205 \\ -0.6543 \\ -0.5056 \\ -0.2843 \\ -0.0425 \\ 0.1622 \end{array}$	8.8158 8.3560 7.9543 7.6752 7.5188 7.4343 7.3803	10.94	1.00000	724.72	0.1110	32.33	1498.7	0.1622	7.3803						
-60	$0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0$	$\begin{array}{c} 1.44 \\ 3.54 \\ 7.51 \\ 12.52 \\ 16.74 \\ 19.69 \\ 21.89 \end{array}$	$0.99965 \\ 0.99993 \\ 0.99999 \\ 1.00000 \\ 1.00000 \\ 1.00000 \\ 1.00000$	908.28 890.50 864.95 830.76 790.70 750.19 713.62	$\begin{array}{c} 0.0138 \\ 0.0340 \\ 0.0724 \\ 0.1210 \\ 0.1621 \\ 0.1909 \\ 0.2125 \end{array}$	$\begin{array}{r} -341.11 \\ -333.68 \\ -301.75 \\ -236.87 \\ -145.75 \\ -39.91 \\ 75.08 \end{array}$	1522.0 1521.2 1520.3 1519.1 1518.1 1517.4 1516.9	$0.1645 \\ 0.3675$	8.4806 8.0384 7.6668 7.4128 7.2673 7.1856 7.1318	21.89	1.00000	713.62	0.2125	75.08	1516.9	0.3675	7.1318						
-50	0.3 0.4 0.5 0.6 0.7 0.8 0.9	$egin{array}{c} 3.19 \\ 7.53 \\ 15.07 \\ 24.02 \\ 31.47 \\ 36.77 \\ \end{array}$	$0.99945 \\ 0.99989 \\ 0.99998 \\ 0.99999$	905.62 884.69 856.60 820.96 780.32 739.43	0.0293 0.0693 0.1391 0.2224 0.2923 0.3421	$ \begin{array}{r} -305.38 \\ -295.67 \\ -259.74 \\ -192.58 \\ -101.49 \end{array} $	1542.0 1540.8 1539.3 1537.6 1536.2 1535.1	$\begin{array}{c} -0.5103 \\ -0.4300 \\ -0.3684 \\ -0.2657 \\ -0.0932 \\ 0.1287 \\ 0.3646 \\ 0.5661 \end{array}$	8.1834 7.7600 7.4156 7.1819 7.0449 6.9652	40.84	1.00000	702.09	0.3806	118.42	1534.3	0.5661	6.9112						
-40	0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0	$\begin{bmatrix} 6.57 \\ 14.81 \\ 28.13 \\ 43.19 \\ 55.63 \\ 64.62 \end{bmatrix}$	0.99917 0.99982	901.79 877.99 847.74 810.90 769.71 728.34	0.0578 0.1307 0.2492 0.3844 0.4971 0.5790	-268.24 -255.86 -216.42 -147.65 -56.75	1562.0 1560.2 1558.0 1555.6 1553.5 1552.1	$\begin{array}{c} -0.3434 \\ -0.2672 \\ -0.1939 \\ -0.0759 \\ 0.1036 \\ 0.3247 \\ 0.5583 \\ 0.7583 \end{array}$	7.9194 7.5156 7.1949 6.9774 6.8469 6.7688	71.69	1.00000	690.15	0.6438	162.32	1550.9	0.7583	6.7141						
-30	0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	$\begin{array}{c c} 5.23 \\ 12.61 \\ 27.22 \\ 49.34 \\ 73.41 \end{array}$	$0.99516 \\ 0.99878 \\ 0.99970 \\ 0.99992 \\ 0.99997 \\ 0.99999 \\ 1.00000$	919.22 896.87 870.57 838.53 800.67 758.89 716.91	0.0441 0.1066 0.2308 0.4207 0.6299 0.8041 0.9328	$\begin{array}{c} -225.96 \\ -229.42 \\ -214.33 \\ -172.05 \\ -102.19 \\ -11.54 \end{array}$	1586.1 1582.0 1579.3 1576.2 1572.9 1570.2 1568.1	$\begin{array}{c} -0.2834 \\ -0.1801 \\ -0.1042 \\ -0.0196 \\ 0.1103 \\ 0.2943 \\ 0.5144 \\ 0.7461 \\ 0.9446 \end{array}$	$\begin{array}{c} 8.1269 \\ 7.6850 \\ 7.3005 \\ 6.9999 \\ 6.7951 \\ 6.6696 \\ 6.5924 \end{array}$	119.43	1.00000	677.83	1.0374	206.75	1566.5	0.9446	6.5367						
-20	$\begin{array}{c} 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \end{array}$	$\begin{array}{c c} 9.76 \\ 22.81 \end{array}$	$0.99343 \\ 0.99825$	$915.98 \\ 891.07$	$0.0792 \\ 0.1854$	$\begin{array}{c} -171.23 \\ -186.20 \\ -189.05 \\ -171.42 \end{array}$	$1607.5 \\ 1601.9$	$\begin{array}{c} -0.1134 \\ -0.0198 \\ 0.0584 \\ 0.1532 \end{array}$	7.9073 7.4771														

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TABLE 4. Saturation properties of {water+ammonia}—Continued

				Bı	ubble po	$\underline{\text{oint}} \ (\boldsymbol{\xi'} =$	₹)		• · ·			Ξ	ew poir	$\underline{\underline{t}} (\xi'' =$	$\overline{m{\xi}})$		
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s"	p_D	ξ'	ϱ'	ϱ''	h'	h''	s'	s"
°C		kPa		kg/	/m ³	kJ/	kg	kJ/(kg K)		kPa		kg/	′m ³	kJ/	kg	kJ/(kį	g K)
	$0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0$	118.88 149.09 171.52 190.08	$\begin{array}{c} 0.99986 \\ 0.99995 \\ 0.99998 \\ 0.99999 \\ 1.00000 \end{array}$	790.27 747.84 705.15 665.14	0.9864 1.2456 1.4404 1.6033	$ \begin{array}{r} -56.30 \\ 34.13 \\ 138.07 \\ 251.70 \end{array} $	1589.5 1585.9 1583.1 1580.8	$\begin{array}{c} 0.4791 \\ 0.6981 \\ 0.9283 \\ 1.1253 \end{array}$	6.8266 6.6318 6.5100 6.4330 6.3757	190.08	1.00000	665.14	1.6033	251.70	1580.8	1.1253	6.3757
-10	0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	$\begin{bmatrix} 6.87 \\ 17.30 \\ 39.06 \\ 77.53 \\ 130.22 \\ 184.49 \\ 228.90 \\ 262.33 \\ \end{bmatrix}$	$\begin{array}{c} 0.96977 \\ 0.99131 \\ 0.99755 \end{array}$	938.21 911.69 884.57 854.30 819.41 779.71 736.54 693.06	$\begin{array}{c} 0.0537 \\ 0.1351 \\ 0.3062 \\ 0.6118 \\ 1.0375 \\ 1.4851 \\ 1.8586 \\ 2.1446 \end{array}$	$\begin{array}{c} -100.01 \\ -129.22 \\ -145.53 \\ -147.37 \\ -127.45 \\ -81.15 \\ -10.02 \\ 80.24 \\ 183.87 \\ 297.16 \end{array}$	1648.7 1629.2 1621.8 1616.6 1611.0 1605.3 1600.6 1597.0	0.1377 0.2198 0.3234 0.4691 0.6580 0.8763 1.1053	8.8505 8.1997 7.7103 7.2923 6.9418 6.6717 6.4847 6.3654 6.2880 6.2285		0.11116 1.00000			-104.19 297.16		-0.0426 1.3009	
0.01		0.61 4.02 11.99 29.25 63.81 122.00 198.62 275.94 339.15 387.45	0.00000 0.86180 0.96248 0.98873 0.99663 0.99895 0.999964 0.99985 0.99997 1.00000	999.79 966.81 935.11 906.54 877.52 845.66 809.56 768.97 724.96 680.61	$\begin{array}{c} 0.0049 \\ 0.0304 \\ 0.0903 \\ 0.2205 \\ 0.4832 \\ 0.9319 \\ 1.5358 \\ 2.1613 \\ 2.6856 \\ 3.0949 \end{array}$	$\begin{array}{c} 0.00 \\ -56.37 \\ -87.10 \\ -104.00 \\ -104.58 \\ -82.64 \\ -34.90 \end{array}$	2500.9 1762.0 1675.0 1651.2 1641.5 1634.7 1627.4 1620.2 1614.3 1609.6	0.0000 0.1084 0.2064 0.2925 0.3793 0.4903 0.6413 0.8318 1.0496 1.2774	$\begin{array}{c} 9.1556 \\ 8.6434 \\ 8.0142 \end{array}$	0.61 0.68 0.77 0.87 1.02 1.22 1.51 1.98 2.88 5.33	0.0000 0.00442 0.00892 0.01407 0.02025 0.02800 0.03826 0.05284 0.07608 0.12290 1.00000	999.79 999.02 998.01 996.66 994.85 992.37 988.86 983.66 975.25 959.06	$\begin{array}{c} 0.0049 \\ 0.0054 \\ 0.0060 \\ 0.0068 \\ 0.0079 \\ 0.0094 \\ 0.0116 \\ 0.0151 \\ 0.0218 \\ 0.0402 \end{array}$	$\begin{array}{c} 0.00 \\ -3.58 \\ -6.98 \\ -10.70 \\ -14.97 \\ -20.06 \\ -26.37 \\ -34.59 \\ -46.14 \\ -64.90 \end{array}$	2500.9 2415.3 2329.6 2243.9 2158.1 2072.4 1986.6 1900.9 1815.1	0.0000 0.0088 0.0153 0.0217 0.0287 0.0368 0.0471 0.0614 0.0844 0.1315 1.4718	9.1556 9.2873 9.3398 9.3533 9.3339 9.2813 9.1910 9.0520 8.8391 8.4768
10	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \end{array}$	$\begin{array}{c} 7.07 \\ 20.07 \\ 47.37 \\ 99.84 \\ 184.44 \\ 292.15 \\ 399.03 \\ 486.44 \\ 554.33 \\ 615.05 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.84164 \\ 0.95438 \\ 0.98565 \\ 0.99544 \\ 0.99848 \\ 0.99943 \\ 0.99975 \\ 0.99988 \\ 0.99995 \\ 1.00000 \end{array}$	964.35 931.06 900.72 870.04 836.77 758.04 713.11 667.81 624.64	0.0516 0.1459 0.3451 0.7319 1.3672 2.1985 3.0505 3.7695 4.3430 4.8679	-13.22 -44.88 -61.80 -61.03 -37.30 11.67 83.67 173.80 277.00 389.71	1702.0 1673.3 1661.2 1652.3 1643.1 1634.2 1626.8 1620.8 1615.3	0.2635 0.3582 0.4442 0.5357 0.6531 0.8083 1.0001 1.2177 1.4447 1.6380	8.8998 8.4551 7.8467 7.3759 6.9817 6.6573 6.4072 6.2303 6.1128 6.0324 5.9662	$\begin{array}{c} 1.37 \\ 1.54 \\ 1.75 \\ 2.04 \\ 2.44 \\ 3.02 \\ 3.95 \\ 5.73 \\ 10.54 \\ 615.05 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.00467 \\ 0.00950 \\ 0.01507 \\ 0.02181 \\ 0.03032 \\ 0.04166 \\ 0.05785 \\ 0.08365 \\ 0.13489 \\ 1.00000 \end{array}$	$\begin{array}{c} 998.54 \\ 997.19 \\ 995.46 \\ 993.22 \\ 990.21 \\ 986.05 \\ 979.96 \\ 970.31 \\ 952.16 \\ 624.64 \end{array}$	$\begin{array}{c} 0.0104 \\ 0.0116 \\ 0.0132 \\ 0.0153 \\ 0.0181 \\ 0.0223 \\ 0.0291 \\ 0.0420 \\ 0.0768 \\ 4.8679 \end{array}$	38.36 34.85 30.99 26.54 21.21 14.58 5.89 -6.34 -26.10 389.71	1615.3	0.1511 0.1607 0.1680 0.1753 0.1834 0.1929 0.2048 0.2214 0.2473 0.2977 1.6380	9.0306 9.0822 9.0949 9.0746 9.0213 8.9303 8.7910 8.5785 8.2184 5.9662
20	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \end{array}$	$\begin{array}{c} 11.95 \\ 32.34 \\ 73.85 \\ 150.56 \\ 269.50 \\ 416.63 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.82096 \\ 0.94541 \\ 0.98199 \\ 0.99393 \\ 0.99783 \\ 0.99913 \\ 0.99960 \end{array}$	960.94 926.22 894.32 862.17 827.63 789.37	$\begin{array}{c} 0.0845 \\ 0.2276 \\ 0.5209 \\ 1.0706 \\ 1.9431 \\ 3.0592 \end{array}$	$ \begin{array}{r} 29.74 \\ -2.35 \\ -18.92 \\ -16.75 \\ 8.61 \end{array} $	$\begin{array}{c} 1680.7 \\ 1669.5 \\ 1658.2 \end{array}$	$\begin{array}{c} 0.4126 \\ 0.5057 \\ 0.5929 \\ 0.6892 \\ 0.8121 \\ 0.9709 \end{array}$	8.6661 8.2827 7.6954 7.2347 6.8512 6.5369 6.2938 6.1196	2.60 2.92 3.34 3.88 4.63 5.72	$\begin{array}{c} 0.00000 \\ 0.00495 \\ 0.01014 \\ 0.01617 \\ 0.02352 \\ 0.03287 \\ 0.04537 \\ 0.06326 \end{array}$	996.75 995.08 993.01 990.34 986.80 981.96	$\begin{array}{c} 0.0191 \\ 0.0214 \\ 0.0243 \\ 0.0281 \\ 0.0333 \\ 0.0409 \end{array}$	80.17 76.54 72.52 67.87 62.28 55.28	2537.5 2452.3 2367.1 2281.8 2196.5 2111.2 2025.8 1940.4	$\begin{array}{c} 0.2965 \\ 0.3070 \\ 0.3152 \\ 0.3234 \\ 0.3326 \\ 0.3435 \\ 0.3571 \\ 0.3758 \end{array}$	8.7961 8.8469 8.8589 8.8379 8.7840 8.6926

TABLE 4. Saturation properties of {water+ammonia}—Continued

				Bub	ble point	$(\xi' = i$	\ \ \(\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\					Dev	w point ($\xi'' = \overline{\xi}$)		
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	<i>s'</i>	s''
$^{\circ}\mathrm{C}$		kPa		kg,	/m ³	kJ,	/kg	kJ/(l	(g K)	kPa		kg,	/m ³	kJ/	/kg	kJ/(l	(g K)
	$0.8 \\ 0.9 \\ 1.0$	771.87	$\begin{array}{c} 0.99980 \\ 0.99991 \\ 1.00000 \end{array}$	654.59	5.9543	324.36	1630.5	$\begin{array}{c} 1.3816 \\ 1.6080 \\ 1.8005 \end{array}$	5.9183	$19.75 \\ 857.48$	$\begin{array}{c} 0.09166 \\ 0.14716 \\ 1.00000 \end{array}$	$943.99 \\ 610.20$		$12.63 \\ 436.93$	$1769.1 \\ 1623.3$	$\begin{array}{c} 0.4044 \\ 0.4578 \\ 1.8005 \end{array}$	7.9832 5.8475
30	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \end{array}$	$ \begin{array}{c} 19.48 \\ 50.37 \\ 111.23 \\ 219.63 \\ 381.97 \\ 577.83 \\ 767.35 \end{array} $	$\begin{array}{c} 0.00000 \\ 0.79991 \\ 0.93556 \\ 0.97768 \\ 0.99204 \\ 0.99696 \\ 0.99870 \\ 0.99937 \\ 0.99985 \\ 1.00000 \end{array}$	956.74 920.72 887.43 853.96 818.26 778.95 735.41 688.36 640.93	0.1334 0.3435 0.7611 1.5180 2.6848 4.1509 5.6387 6.9214 7.9982 9.0533	72.61 40.46 24.53 28.12 54.98 106.04 178.95 269.28 372.32 484.90	1874.8 1757.8 1718.6 1700.2 1686.3 1672.5 1659.3 1648.0 1638.6 1629.3	$\begin{array}{c} 0.4368 \\ 0.5564 \\ 0.6493 \\ 0.7385 \\ 0.8394 \\ 0.9671 \\ 1.1291 \\ 1.3236 \\ 1.5414 \\ 1.7674 \\ 1.9597 \end{array}$	8.1248 7.5587 7.1084 6.7346 6.4288 6.1908 6.0181 5.8985 5.8115 5.7347	4.72 5.30 6.05 7.03 8.38 10.35 13.52 19.48	$\begin{array}{c} 0.06901 \\ 0.10004 \end{array}$	$\begin{array}{c} 993.92 \\ 991.95 \\ 989.52 \\ 986.42 \\ 982.34 \\ 976.80 \\ 968.89 \\ 956.72 \\ 934.71 \end{array}$	$\begin{array}{c} 0.0336 \\ 0.0376 \\ 0.0426 \\ 0.0492 \\ 0.0583 \\ 0.0717 \\ 0.0931 \\ 0.1335 \\ 0.2407 \\ 9.0533 \end{array}$	$\begin{array}{c} 121.90 \\ 118.13 \\ 113.94 \\ 109.07 \\ 103.18 \\ 95.80 \\ 86.12 \\ 72.60 \\ 51.49 \\ 484.90 \end{array}$	2470.7 2385.7 2300.6 2215.6 2130.5 2045.3 1960.1 1874.8 1788.9 1629.3	$\begin{array}{c} 0.4368 \\ 0.4482 \\ 0.4573 \\ 0.4665 \\ 0.4768 \\ 0.5044 \\ 0.5252 \\ 0.5565 \\ 0.6130 \\ 1.9597 \end{array}$	8.5815 8.6317 8.6430 8.6215 8.5671 8.4755 8.3360 8.1246 7.7687 5.7347
40	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \end{array}$	$\begin{array}{r} 30.71 \\ 76.01 \\ 162.41 \\ 311.06 \\ 526.90 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.77857 \\ 0.92482 \\ 0.97267 \\ 0.98969 \\ 0.99581 \\ 0.99809 \\ 0.99902 \\ 0.99947 \\ 0.99975 \\ 1.00000 \end{array}$	951.85 914.65 880.11 845.44 808.64 768.29 723.65 675.40 626.76	0.2041 0.5031 1.0799 2.0939 3.6183 5.5077 7.4251 9.1037	115.47 83.57 68.50 73.50 101.77 153.82 227.25 317.83 420.93	1912.7 1786.6 1741.7 1719.6 1702.7 1686.1 1670.3 1656.7 1645.0	$\begin{array}{c} 0.5724 \\ 0.6955 \\ 0.7891 \\ 0.8810 \\ 0.9864 \\ 1.1184 \\ 1.2833 \\ 1.4792 \\ 1.6975 \\ 1.9234 \\ 2.1161 \end{array}$	7.9798 7.4351 6.9954 6.6303 6.3314 6.0972 5.9247 5.8025 5.7107	8.20 9.22 10.51 12.21 14.54 17.94 23.38 33.59	$\begin{array}{c} 0.01866 \\ 0.02739 \\ 0.03859 \\ 0.05364 \\ 0.07511 \end{array}$	990.22 987.96 985.16 981.61 976.97 970.71 961.85 948.39 924.47	$\begin{array}{c} 0.0566 \\ 0.0632 \\ 0.0717 \\ 0.0828 \\ 0.0981 \\ 0.1203 \\ 0.1561 \end{array}$	163.59 159.68 155.31 150.20 144.00 136.23 126.07 112.01 90.72	2488.9 2404.2 2319.4 2234.5 2149.7 2064.7 1979.7 1894.4 1808.4	$\begin{array}{c} 0.5724 \\ 0.5848 \\ 0.5948 \\ 0.6051 \\ 0.6166 \\ 0.6302 \\ 0.6473 \\ 0.6703 \\ 0.7041 \\ 0.7641 \\ 2.1161 \end{array}$	8.3846 8.4343 8.4451 8.4232 8.3685 8.2766 8.1372 7.9264 7.5722
50	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \end{array}$	46.97 111.48 230.63 429.13 709.44 1034.3 1343.7 1601.8 1818.5 2034.0	$\begin{array}{c} 0.00000 \\ 0.75702 \\ 0.91316 \\ 0.96688 \\ 0.98681 \\ 0.99432 \\ 0.99727 \\ 0.99853 \\ 0.99917 \\ 0.99959 \\ 1.00000 \end{array}$	946.36 908.07 872.39 836.62 798.76 757.35 711.52 661.97 612.03 562.86	$\begin{array}{c} 0.3034 \\ 0.7172 \\ 1.4928 \\ 2.8187 \\ 4.7701 \\ 7.1645 \\ 9.6020 \\ 11.776 \\ 13.721 \\ 15.785 \end{array}$	158.38 126.99 112.93 119.36 148.98 202.01 276.05 366.99 470.30 583.77	1950.6 1815.8 1765.1 1738.9 1718.6 1699.0 1680.3 1664.0 1649.6 1634.2	$\begin{array}{c} 0.7038 \\ 0.8303 \\ 0.9255 \\ 1.0204 \\ 1.1301 \\ 1.2661 \\ 1.4338 \\ 1.6312 \\ 1.8502 \\ 2.0764 \\ 2.2706 \end{array}$	7.8461 7.3233 6.8941 6.5369 6.2436 6.0118 5.8385 5.7127 5.6148 5.5213	$\begin{array}{c} 13.72\\ 15.41\\ 17.56\\ 20.39\\ 24.26\\ 29.90\\ 38.90\\ 55.71\\ 99.56\\ 2034.0 \end{array}$	$\begin{array}{c} 0.01238 \\ 0.02004 \\ 0.02954 \\ 0.04176 \\ 0.05817 \\ 0.08154 \\ 0.11788 \\ 0.18567 \\ 1.00000 \end{array}$	$\begin{array}{c} 985.78 \\ 983.21 \\ 980.03 \\ 976.02 \\ 970.79 \\ 963.77 \\ 953.94 \\ 939.19 \\ 913.33 \\ 562.86 \end{array}$	$\begin{array}{c} 0.0918 \\ 0.1025 \\ 0.1162 \\ 0.1342 \\ 0.1588 \\ 0.1946 \\ 0.2520 \\ 0.3592 \\ 0.6404 \\ 15.785 \end{array}$	205.28 201.22 196.65 191.29 184.79 176.63 166.02 151.55 130.47 583.77	2507.0 2422.5 2338.0 2253.4 2168.7 2084.0 1999.1 1913.9 1827.5 1634.2	$\begin{array}{c} 0.7038 \\ 0.7172 \\ 0.7282 \\ 0.7395 \\ 0.7523 \\ 0.7674 \\ 0.7863 \\ 0.8114 \\ 0.8480 \\ 0.9122 \\ 2.2706 \end{array}$	8.2035 8.2528 8.2633 8.2410 8.1860 8.0941 7.9548 7.7444 7.3916 5.5213
60	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8	69.88 159.30 319.39 578.22	$\begin{array}{c} 0.00000 \\ 0.73531 \\ 0.90058 \\ 0.96025 \\ 0.98333 \\ 0.99242 \\ 0.99616 \\ 0.99784 \\ 0.99873 \end{array}$	940.33 901.03 864.30 827.49 788.59 746.09 698.99	$\begin{array}{c} 0.4393 \\ 0.9979 \\ 2.0159 \\ 3.7130 \\ 6.1666 \\ 9.1563 \\ 12.219 \end{array}$	201.38 170.72 157.80 165.67 196.63 250.67 325.41	1988.2 1845.5 1788.7 1758.1 1734.2 1711.2 1689.4	$\begin{array}{c} 0.8313 \\ 0.9613 \\ 1.0586 \\ 1.1569 \\ 1.2706 \\ 1.4105 \\ 1.5808 \\ 1.7800 \\ 2.0000 \end{array}$	7.7226 7.2218 6.8033 6.4533 6.1644 5.9339 5.7588	$\begin{array}{c} 22.15 \\ 24.87 \\ 28.33 \\ 32.87 \\ 39.09 \\ 48.12 \\ 62.51 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.00630 \\ 0.01323 \\ 0.02151 \\ 0.03182 \\ 0.04512 \\ 0.06298 \\ 0.08830 \\ 0.12735 \end{array}$	980.68 977.78 974.22 969.71 963.87 956.06 945.23	0.1440 0.1608 0.1821 0.2102 0.2486 0.3044 0.3936	247.00 242.78 238.02 232.41 225.59 217.07 206.07	2524.8 2440.6 2356.3 2272.0 2187.5 2103.0 2018.2	$\begin{array}{c} 0.8313 \\ 0.8458 \\ 0.8577 \\ 0.8702 \\ 0.8843 \\ 0.9009 \\ 0.9217 \\ 0.9491 \\ 0.9888 \end{array}$	8.0365 8.0855 8.0957 8.0732 8.0180 7.9259

TABLE 4. Saturation properties of {water+ammonia}—Continued

				Bub	ble point	$(\xi' = \delta)$	<u>\$</u>)				De	w point ($\xi'' = \overline{\xi}$)			
t	$\overline{oldsymbol{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s"
$^{\circ}\mathrm{C}$		kPa		kg	$/\mathrm{m}^3$	kJ_{I}	/kg	kJ/(l	(g K)	kPa		kg	/m ³	kJ,	/kg	kJ/(l	g K)
	0.9 1.0	$2330.1 \\ 2615.6$	$\begin{array}{c} 0.99935 \\ 1.00000 \end{array}$					$2.2269 \\ 2.4239$			$\begin{array}{c} 0.19935 \\ 1.00000 \end{array}$		$\begin{array}{c} 0.9933 \\ 20.493 \end{array}$	$\begin{array}{c} 170.87 \\ 635.11 \end{array}$			
70	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \\ 1.0 \\ \end{array}$	101.38 222.33 432.45 762.82 1207.8 1708.3 2181.1 2584.3 2939.1 3313.5	$\begin{array}{c} 0.00000 \\ 0.71350 \\ 0.88706 \\ 0.95270 \\ 0.97915 \\ 0.99002 \\ 0.99468 \\ 0.99687 \\ 0.99899 \\ 1.00000 \end{array}$	933.80 893.56 855.85 818.04 778.12 734.47 686.00 633.52 580.51 526.31	0.6211 1.3583 2.6662 4.7979 7.8340 11.518 15.326 18.894 22.347 26.407	375.40 467.42 571.79 688.19	2025.5 1875.6 1812.6 1777.4 1749.5 1722.8 1697.4 1674.4 1652.5 1627.1	1.0888 1.1887 1.2905 1.4083 1.5517 1.7248 1.9258 2.1472 2.3754 2.5770	7.6081 7.1295 6.7218 6.3783 6.0929 5.8628 5.6850 5.5484 5.4336 5.3131	34.63 38.89 44.28 51.35 61.02 75.04 97.32 138.57 244.96 3313.5	$\begin{array}{c} 0.00000 \\ 0.00669 \\ 0.01413 \\ 0.02308 \\ 0.03426 \\ 0.04870 \\ 0.06807 \\ 0.09542 \\ 0.13725 \\ 0.21373 \\ 1.00000 \end{array}$	974.98 971.75 967.78 962.75 956.26 947.63 935.76 918.33 888.30 526.31	0.2190 0.2445 0.2769 0.3194 0.3775 0.4620 0.5965 0.8466 1.4975 26.407	284.39 279.42 273.57 266.45 257.60 246.29 231.47 212.05 688.19	2542.4 2458.4 2374.4 2290.3 2206.0 2121.6 2037.0 1951.6 1863.9 1627.1	$\begin{array}{c} 0.9707 \\ 0.9837 \\ 0.9974 \\ 1.0129 \\ 1.0312 \\ 1.0540 \\ 1.0839 \\ 1.1269 \\ 1.2022 \\ 2.5770 \end{array}$	7.8821 7.9309 7.9408 7.9181 7.8628 7.7707 7.6315 7.4217 7.0696 5.3131
80	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	$\begin{vmatrix} 303.73 \\ 573.74 \end{vmatrix}$	$\begin{array}{c} 0.00000\\ 0.69163\\ 0.87261\\ 0.94419\\ 0.97419\\ 0.98702\\ 0.99275\\ 0.99555\\ 0.99719\\ 0.99846\\ 1.00000 \end{array}$	926.82 885.68 847.03 808.27 767.31 722.44 672.48 618.34 563.49	0.8593 1.8126 3.4614 6.0943 9.7981 14.285 18.978 23.513 28.111	287.83 259.18 248.86 259.66 293.34 349.58 426.07 518.89 624.26	2062.4 1905.9 1836.8 1796.6 1764.5 1733.8 1704.5 1677.4 1650.5	$\begin{array}{c} 1.2130 \\ 1.3160 \\ 1.4214 \\ 1.5432 \end{array}$	7.5014 7.0452 6.6484 6.3109 6.0284 5.7979 5.6164 5.4726 5.3465	52.62 59.07 67.24 77.94 92.55 113.72 147.26 209.20	$\begin{array}{c} 0.00000 \\ 0.00711 \\ 0.01509 \\ 0.02475 \\ 0.03685 \\ 0.05250 \\ 0.07346 \\ 0.10292 \\ 0.14764 \\ 0.22883 \\ 1.00000 \end{array}$	968.73 965.15 960.74 955.17 947.99 938.51 925.55 906.72 874.41	0.3240 0.3617 0.4096 0.4723 0.5580 0.6825 0.8803	314.81 307.42 298.28 286.75 272.05	2559.6 2475.9 2392.1 2308.2 2224.2 2139.9 2055.3 1969.7 1880.8	1.0923 1.1065 1.1215 1.1384 1.1586 1.1835 1.2162 1.2629	7.7390 7.7876 7.7974 7.7745 7.7190 7.6267 7.4875 7.2776 6.9246
90	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	199.49 406.92	$\begin{array}{c} 0.00000 \\ 0.66974 \\ 0.85723 \\ 0.93463 \\ 0.96835 \\ 0.99337 \\ 0.99592 \\ 0.99592 \\ 0.99768 \\ 1.00000 \end{array}$	919.39 877.39 837.86 798.14 756.12 709.95 658.37 602.43 545.40	1.1659 2.3762 4.4196 7.6235 12.085 17.491 23.230 28.974 35.108	303.94 295.06 307.38 342.47 399.95 477.54 571.35 678.20	2098.7 1936.4 1861.2 1815.8 1779.2	1.8259 2.0046 2.2103 2.4354 2.6690	7.4016 6.9679 6.5820 6.2504 5.9701 5.7386 5.5527 5.4003 5.2603	77.88 87.40 99.47 115.25 136.78 167.92 217.19 307.94	$\begin{array}{c} 0.00000 \\ 0.00755 \\ 0.01611 \\ 0.02652 \\ 0.03960 \\ 0.05653 \\ 0.07917 \\ 0.11083 \\ 0.15859 \\ 0.24490 \\ 1.00000 \end{array}$	961.96 958.02 953.14 946.99 939.09 928.70 914.63 894.32 859.51	0.4677 0.5221 0.5911 0.6814 0.8049 0.9839 1.2682 1.7955	356.17 348.54 339.17 327.54 313.19 297.49	2576.4 2493.0 2409.5 2325.8 2241.9 2157.7 2073.0 1987.1 1896.7	1.2109 1.2263 1.2427 1.2613 1.2833 1.3106 1.3463 1.3972	7.6060 7.6544 7.6640 7.6410 7.5853 7.4929 7.3534 7.1430 6.7880
100	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	271.61	$\begin{array}{c} 0.00000\\ 0.64787\\ 0.84094\\ 0.92399\\ 0.96152\\ 0.97878\\ 0.98705\\ 0.99140\\ 0.99416\\ 0.99653\\ 1.00000 \end{array}$	911.53 868.72 828.31 787.65 744.52 696.95 643.58 585.67 526.03	$\begin{array}{c} 1.5540 \\ 3.0654 \\ 5.5602 \\ 9.4073 \\ 14.719 \\ 21.172 \\ 28.140 \\ 35.399 \\ 43.614 \end{array}$	341.72 355.63 392.20 451.03 529.89 624.96 733.94	2134.4 1967.1 1885.7 1835.0 1793.7 1754.3 1716.1 1678.7 1638.2	1.4529 1.5628 1.6759 1.8054 1.9594	7.3078 6.8964 6.5219 6.1958 5.9174 5.6845 5.4935 5.3309 5.1741	112.53 126.27 143.67 166.42 197.41 242.20 312.97 443.07 775.67	$\begin{array}{c} 0.00000 \\ 0.00802 \\ 0.01719 \\ 0.02841 \\ 0.04254 \\ 0.06083 \\ 0.08524 \\ 0.11922 \\ 0.17018 \\ 0.26209 \\ 1.00000 \end{array}$	954.71 950.37 945.00 938.24 929.56 918.23 902.98 881.10 843.53	0.6600 0.7367 0.8340 0.9615 1.1355 1.3878 1.7884 2.5314 4.4727	404.20 397.69 389.86 380.33 368.73 354.99 342.13	2592.8 2509.6 2426.3 2342.8 2259.0 2174.9 2090.1 2003.6 1911.1	1.3266 1.3433 1.3612 1.3816 1.4058 1.4357 1.4747 1.5305 1.6316	7.4819 7.5302 7.5397 7.5164 7.4606 7.3679 7.2280 7.0166 6.6582

TABLE 4. Saturation properties of {water+ammonia}—Continued

				Bul	ble point	$\overline{(\xi'=\overline{\xi})}$						De	ew point ($\xi'' = \overline{\xi}$			
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	$s^{\prime\prime}$	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	$s^{\prime\prime}$
°C		kPa		kg	/m ³	kJ/	kg	kJ/(l	kg K)	kPa		kg	g/m ³	kJ/	kg	kJ/(l	kg K)
110	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0	363.32 693.71 1208.1 1944.3 2867.7 3865.2 4812.4 5678.9 6523.4 7578.3 198.68	$\begin{array}{c} 0.00000\\ 0.62604\\ 0.82376\\ 0.91220\\ 0.95361\\ 0.97330\\ 0.98827\\ 0.99173\\ 0.99483\\ 1.00000\\ 0.00000\\ \end{array}$	903.27 859.65 818.38 776.75 732.45 683.35 628.02 567.95 505.07 425.61 943.11	0.8269 2.0381 3.8980 6.9032 11.468 17.729 25.362 33.772 42.929 53.993 73.550	419.04 394.59 388.87 404.43 442.59 502.92 583.26 679.91 791.96 932.83 503.82	2169.4 1997.6 1910.4 1854.3 1808.0 1763.8 1720.6 1676.9 1627.1 1546.2 2705.9	2.4874 2.7183 2.9634 3.2249 1.5279	7.2192 6.8300 6.4669 6.1465 5.8697 5.6351 5.4382 5.2639 5.0868 4.8258 7.1292	159.07 178.48 203.06 235.15 278.86 341.97 441.57 624.54 1092.5 7578.3 198.68	$\begin{array}{c} 0.00000\\ 0.00851\\ 0.01835\\ 0.03042\\ 0.04567\\ 0.06541\\ 0.09170\\ 0.12812\\ 0.18253\\ 0.28081\\ 1.00000\\ 0.000000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.000000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.000000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.000000\\ 0.000000\\ 0.00000\\ 0.00000\\ 0.00000\\ 0.000000\\ 0.0000000\\ 0.00000000$	946.98 942.23 936.33 928.91 919.42 907.09 890.59 867.02 826.25 425.61 943.11	0.8269 0.9125 1.0186 1.1533 1.3296 1.5704 1.9196 2.4740 3.5044 6.2152 73.550	456.69 451.75 446.10 439.42 431.43 421.84 410.43 397.59 388.39 932.83 503.82	2608.6 2525.7 2442.6 2359.2 2275.5 2191.4 2106.4 2019.1 1923.8 1546.2 2705.9	1.4188 1.4396 1.4578 1.4774 1.4997 1.5262 1.5590 1.6017 1.6631 1.7764 3.2249 1.5279	7.3658 7.4141 7.4233 7.3999 7.3437 7.2506 7.1100 6.8972 6.5335 4.8258 7.1292
	0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0	$\begin{array}{c} 885.\overline{35} \\ 1503.9 \\ 2371.3 \\ 3443.6 \\ 4593.4 \\ 5690.8 \\ 6716.8 \\ 7741.0 \\ 9112.5 \end{array}$	$\begin{array}{c} 0.60430 \\ 0.80570 \\ 0.89922 \\ 0.94451 \\ 0.96672 \\ 0.97798 \\ 0.98421 \\ 0.98841 \\ 0.99230 \\ 1.00000 \end{array}$	850.18 808.05 765.42 719.85 669.07 611.59 549.12 482.07 385.49	$\begin{array}{c} 2.6342 \\ 4.8933 \\ 8.4705 \\ 13.831 \\ 21.142 \\ 30.100 \\ 40.195 \\ 51.739 \\ 66.746 \\ 100.07 \end{array}$	436.56 453.86 493.71 555.73 637.79 736.44 852.94 1013.1	2028.1 1935.1 1873.5 1822.1 1773.0 1724.3 1673.2 1611.9 1493.4	3.4218	6.7678 6.4164 6.1017 5.8264 5.5898 5.3865 5.1987 4.9968 4.6435	247.31 281.34 325.77 386.26 473.56 611.26 864.23 1513.1 9112.5	$\begin{array}{c} 0.00904 \\ 0.01958 \\ 0.03257 \\ 0.04902 \\ 0.07030 \\ 0.09858 \\ 0.13762 \\ 0.19574 \\ 0.30125 \\ 1.00000 \end{array}$	933.59 927.14 919.01 908.65 895.25 877.42 852.01 807.53 385.49	1.2384 1.3827 1.5659 1.8058 2.1335 2.6089 3.3649 4.7743 8.5250 100.07	493.98 488.20 481.40 473.33 463.76 452.72 441.16 436.64 1013.1	2541.1 2458.1 2374.9 2291.3 2207.1 2121.6 2033.3 1934.3 1493.4	1.5503 1.5700 1.5914 1.6159 1.6450 1.6809 1.7278 1.7956 1.9233 3.4218	7.3050 7.3140 7.2903 7.2337 7.1400 6.9984 6.7834 6.4123 4.6435
130	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	270.28 620.07 1114.9 1849.0 2858.8 4089.8 5401.0 6660.7 7864.6 9091.3 10897.7	$\begin{array}{c} 0.00000 \\ 0.58266 \\ 0.78681 \\ 0.88502 \\ 0.93413 \\ 0.97173 \\ 0.97897 \\ 0.98391 \\ 0.98848 \\ 1.00000 \end{array}$	885.50 840.31 797.29 753.60 706.66 654.01 594.15 529.02 456.37	$\begin{array}{c} 1.4970 \\ 3.3600 \\ 6.0720 \\ 10.286 \\ 16.523 \\ 24.990 \\ 35.430 \\ 47.496 \\ 62.047 \\ 82.606 \\ 156.77 \end{array}$	507.92 486.97 484.82 503.97 545.66 609.58 693.66 794.87	2236.4 2058.2 1959.8 1892.7 1836.0 1781.7 1727.1 1667.6 1591.8	2.1834 2.3487 2.5414 2.7606 3.0005	7.0547 6.7090 6.3695 6.0606 5.7869 5.5481 5.3377 5.1346 4.9024	299.88 336.48 382.79 443.26 525.55 644.32	$\begin{array}{c} 0.00000 \\ 0.00960 \\ 0.02089 \\ 0.03487 \\ 0.05260 \\ 0.07554 \\ 0.10595 \\ 0.14779 \\ 0.21000 \\ 0.32391 \\ 1.00000 \end{array}$	930.15 924.47 917.41 908.52 897.23 882.70 863.43 835.96 787.01	1.4970 1.6526 1.8459 2.0913 2.4128 2.8523 3.4907 4.5083 6.4156 11.578 156.77	541.53 536.42 530.56 523.69 515.60 506.20 495.74 485.86 487.39	2638.2 2555.8 2473.0 2389.8 2306.1 2221.7 2135.7 2045.9 1942.0	1.6347 1.6587 1.6802 1.7036 1.7304 1.7624 1.8019 1.8535 1.9286 2.0739 3.7153	7.1542 7.2022 7.2110 7.1868 7.1298 7.0352 6.8922 6.6741 6.2925
140	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8	$79\overline{3}.12$ 1386.8 2247.7 3410.3 4808.5 6288.5 7721.7 9120.2 10563.0	$\begin{array}{c} 0.00000 \\ 0.56116 \\ 0.76713 \\ 0.86956 \\ 0.92234 \\ 0.94965 \\ 0.96407 \\ 0.97228 \\ 0.97779 \\ 0.98253 \end{array}$	876.00 830.00 786.08 741.25 692.80 638.05 575.57 507.40 426.74		533.90 533.72 554.84 598.56 664.63 751.08 855.66 988.84	2268.3 2087.8 1984.3 1911.7 1849.7 1790.0 1728.9 1659.5 1565.1	2.4758 2.6729 2.8968 3.1435 3.4357	6.9775 6.6528 6.3253 6.0224 5.7505 5.5095 5.2911 5.0703 4.8002	401.19 450.21 512.24 593.24 703.51 862.70 1114.1 1577.8 2786.5	0.00000 0.01020 0.02229 0.03733 0.05644 0.08116 0.11385 0.12546 0.34946	921.06 914.86 907.15 897.44 885.15 869.39 848.56 818.75 764.19	1.9667 2.1721 2.4273 2.7515 3.1768 3.7589 4.6061 5.9613 8.5218	584.28 579.13 573.23 566.34 558.33 549.24 539.62 531.95 541.39	2651.9 2569.6 2486.9 2403.7 2320.0 2235.2 2148.4 2056.7 1946.2	1.7392 1.7651 1.7885 1.8141 1.8436 1.8787 1.9221 1.9790 2.0627 2.2300	7.0571 7.1049 7.1133 7.0887 7.0309 6.9353 6.7903 6.5679 6.1718
150	$0.0 \\ 0.1 \\ 0.2$	$\begin{array}{c} 476.17 \\ 1001.8 \\ 1705.8 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.53983 \\ 0.74670 \end{array}$	866.07	$\begin{array}{c} 2.5481 \\ 5.2799 \\ 9.0746 \end{array}$	598.24	2298.9	$\begin{array}{c} 1.8418 \\ 2.0119 \\ 2.1432 \end{array}$	6.9029	528.50	$\begin{array}{c} 0.00000 \\ 0.01084 \\ 0.02380 \end{array}$	911.50	$\begin{array}{c} 2.5481 \\ 2.8156 \\ 3.1484 \end{array}$	627.30	2664.6	$\begin{array}{c} 1.8418 \\ 1.8697 \\ 1.8952 \end{array}$	6.9649

TABLE 4. Saturation properties of {water+ammonia}—Continued

	-			Bul	oble point	$(\xi'=\overline{\xi})$						De	w point ($\xi'' = \overline{\xi}$)		
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s"
$^{\circ}\mathrm{C}$		kPa		kg	g/m ³	kJ/	kg	kJ/(l	g K)	kPa		kg	/m ³	kJ	/kg	kJ/(l	g K)
	$\begin{array}{c} 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \\ 0.9 \end{array}$	2704.3 4029.0 5601.3 7255.7 8872.3 10477.1 12118.4	0.85284 0.90907 0.93883 0.95475 0.96378 0.96945 0.97272	728.31 678.18 621.06 555.70 483.90	$\begin{array}{c} 14.770 \\ 23.019 \\ 34.148 \\ 48.091 \\ 65.210 \\ 88.517 \\ 129.56 \end{array}$	606.56 652.52 721.07 810.33	1930.4 1863.0 1797.7 1729.5 1648.4	2.2776 2.4279 2.6020 2.8042 3.0336 3.2896 3.6199	$\begin{array}{c} 5.9865 \\ 5.7164 \\ 5.4730 \\ 5.2457 \\ 5.0042 \end{array}$	782.09	$\begin{array}{c} 0.03998 \\ 0.06057 \\ 0.08720 \\ 0.12236 \\ 0.17054 \\ 0.24238 \\ 0.37893 \end{array}$	885.74 872.37 855.27 832.70 800.18	$\begin{array}{c} 4.1279 \\ 4.8905 \\ 6.0037 \end{array}$	$\begin{array}{c} 616.26 \\ 609.43 \\ 601.61 \\ 593.00 \\ 584.53 \\ 579.73 \\ 599.80 \end{array}$	2416.6 2332.6 2247.4 2159.5 2065.3	$\begin{array}{c} 1.9556 \\ 1.9942 \\ 2.0421 \end{array}$	6.9952 6.9365 6.8394 6.6918 6.4637
160	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9	$\begin{array}{c} 618.24\\ 1250.7\\ 2076.6\\ 3223.3\\ 4718.2\\ 6469.4\\ 8301.6\\ 10109.5\\ 11921.6\\ 13628.2\\ \end{array}$	$\begin{array}{c} 0.00000 \\ 0.51870 \\ 0.72557 \\ 0.83482 \\ 0.89420 \\ 0.92623 \\ 0.94348 \\ 0.95304 \\ 0.95793 \\ 0.95669 \end{array}$	855.71 808.03 762.11 714.70 662.66 602.86 534.36 457.95	$\begin{array}{c} 3.2596 \\ 6.5189 \\ 10.953 \\ 17.505 \\ 26.905 \\ 39.564 \\ 55.590 \\ 76.021 \\ 105.94 \\ 168.64 \end{array}$	644.05 629.47 633.65 659.24 707.71 779.11 871.76	2328.0 2144.9 2032.2 1948.8 1875.8 1804.6 1728.2 1632.5	1.9426 2.1182 2.2545 2.3936 2.5487 2.7279 2.9357 3.1718 3.4412 3.8473	6.8303 6.5455 6.2424 5.9520 5.6838 5.4377 5.1998 4.9324	686.38 770.66 877.39 1016.9 1207.1 1482.5 1919.5 2735.0 4952.9	$\begin{array}{c} 0.00000 \\ 0.01153 \\ 0.02542 \\ 0.04283 \\ 0.06503 \\ 0.09372 \\ 0.13155 \\ 0.18339 \\ 0.26111 \\ 0.41409 \end{array}$	901.49 894.13 884.93 873.39 858.83 840.27 815.74 779.97 707.73	$\begin{array}{c} 3.6043 \\ 4.0337 \\ 4.5808 \\ 5.3008 \\ 6.2908 \\ 7.7420 \\ 10.092 \\ 14.653 \\ 28.487 \end{array}$	637.62 630.67 629.60 664.66	$\begin{array}{c} 2676.4 \\ 2594.3 \\ 2511.7 \\ 2428.3 \\ 2344.0 \\ 2258.0 \\ 2168.7 \\ 2071.0 \\ 1938.1 \end{array}$	$\begin{array}{c} 1.9727 \\ 2.0005 \\ 2.0312 \\ 2.0667 \\ 2.1093 \\ 2.1621 \\ 2.2321 \\ 2.3382 \\ 2.5724 \end{array}$	6.8769 6.9241 6.9316 6.9055 6.8456 6.7466 6.5956 6.3597 5.9128
170	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8	$\begin{array}{c} 792.19\\ 1544.8\\ 2504.3\\ 3809.1\\ 5480.8\\ 7413.6\\ 9424.5\\ 11428.3\\ 13424.4\\ 14713.1\\ \end{array}$	0.00000 0.49779 0.70380 0.81551 0.87764 0.91166 0.92994 0.93944 0.94143 0.94024	844.88 796.30 749.25 700.33 646.12 583.27 511.30 428.42	$\begin{array}{c} 4.1222 \\ 7.9782 \\ 13.125 \\ 20.621 \\ 31.286 \\ 45.637 \\ 64.049 \\ 88.616 \\ 128.16 \\ 210.16 \end{array}$	690.36 678.22 684.85 713.00 764.31 839.05	2355.6 2171.9 2055.1 1966.5 1887.9 1810.3 1724.2 1608.4	2.0417 2.2231 2.3646 2.5087 2.6690 2.8538 3.0682 3.3124 3.6026 4.1641	6.7593 6.4932 6.2020 5.9181 5.6516 5.4023 5.1509 4.8472	879.84 988.29 1125.7 1305.6 1551.2 1907.6	$\begin{array}{c} 0.00000 \\ 0.01227 \\ 0.02717 \\ 0.04591 \\ 0.06984 \\ 0.10078 \\ 0.14153 \\ 0.19745 \\ 0.28211 \\ 0.45846 \end{array}$	890.99 882.97 872.93 860.33 844.49 824.29 797.51 757.71	4.5619 5.1108 5.8115 6.7359 8.0117 9.8923 12.968 19.068	$\begin{array}{c} 678.31 \\ 682.15 \end{array}$	$\begin{array}{c} 2687.0 \\ 2605.0 \\ 2522.3 \\ 2438.6 \\ 2353.7 \\ 2266.8 \\ 2175.5 \\ 2073.2 \end{array}$	$\begin{array}{c} 2.0742 \\ 2.1045 \\ 2.1382 \\ 2.1774 \end{array}$	6.7926 6.8394 6.8461 6.8191 6.7576 6.6561 6.5005 6.2541
180	$0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8$	1002.8 1889.3 2994.0 4465.9 6319.7 8434.1 10622.5 12819.7 14918.5	$\begin{array}{c} 0.00000 \\ 0.47711 \\ 0.68144 \\ 0.79491 \\ 0.85929 \\ 0.89489 \\ 0.91373 \\ 0.92206 \\ 0.91626 \end{array}$	833.57 784.02 735.73 685.10 628.37 562.07 486.17 392.89	$\begin{array}{c} 5.1588 \\ 9.6877 \\ 15.630 \\ 24.170 \\ 36.232 \\ 52.479 \\ 73.703 \\ 103.73 \\ 160.25 \end{array}$	737.22 727.72 737.01 768.01 822.58 901.24 1003.6 1146.0	2381.5 2197.7 2077.1 1983.3 1899.0 1814.2 1715.7 1565.7	2.1393 2.3268 2.4736 2.6231 2.7890 2.9803 3.2023 3.4572 3.7829	6.6895 6.4408 6.1613 5.8837 5.6187 5.3647 5.0948 4.7255	1252.3 1427.5 1657.0 1971.1 2428.4 3162.5 4568.9	$\begin{array}{c} 0.00000 \\ 0.01306 \\ 0.02905 \\ 0.04924 \\ 0.07506 \\ 0.10844 \\ 0.15242 \\ 0.21297 \\ 0.30612 \end{array}$	879.99 871.25 860.28 846.53 829.25 807.21 777.76	$\begin{array}{c} 5.7151 \\ 6.4110 \\ 7.3016 \\ 8.4805 \\ 10.115 \\ 12.543 \\ 16.569 \\ 24.799 \end{array}$	$730.11 \\ 727.80 \\ 738.26$	2696.5 2614.5 2531.4 2447.4 2361.8 2273.4 2179.6 2070.8	2.1744 2.2076 2.2446 2.2877 2.3396 2.4046 2.4925 2.6327	6.7115 6.7576 6.7635 6.7351 6.6716 6.5669 6.4052 6.1441
190	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \\ 0.8 \end{array}$	$\begin{array}{c} 1255.2 \\ 2289.6 \\ 3550.8 \\ 5198.2 \\ 7237.4 \\ 9531.1 \\ 11892.9 \\ 14266.5 \\ 16245.2 \end{array}$	0.00000 0.45670 0.65853 0.77303 0.83905 0.87568 0.89431 0.89922 0.89783	821.74 771.14 721.46 668.86 609.21 539.01 458.29	$\begin{array}{c} 6.3954 \\ 11.681 \\ 18.511 \\ 28.213 \\ 41.838 \\ 60.253 \\ 84.939 \\ 122.90 \\ 231.56 \end{array}$	784.69 778.05 790.26 824.44 882.79 966.16 1076.2	2405.6 2221.9 2097.8 1998.8 1908.4 1815.2 1699.2	2.2355 2.4293 2.5819 2.7371 2.9092 3.1078 3.3390 3.6089 4.0011	6.6203 6.3879 6.1195 5.8478 5.5836 5.3223 5.0234	$\begin{array}{c} 1395.6 \\ 1569.5 \\ 1790.5 \\ 2080.7 \\ 2479.0 \\ 3061.9 \\ 4006.1 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.01392 \\ 0.03109 \\ 0.05286 \\ 0.08073 \\ 0.11679 \\ 0.16437 \\ 0.23031 \\ 0.33436 \end{array}$	868.47 858.93 846.94 831.91 813.02 788.86 756.16	7.0940 7.9702 9.0954 10.591 12.678 15.809 21.096	793.32 787.82 782.41 778.44 779.60	2704.6 2622.4 2539.1 2454.4 2367.7 2277.6 2180.2	2.2735 2.3099 2.3506	6.6330 6.6784 6.6831 6.6530 6.5870 6.4780 6.3082

TABLE 4. Saturation properties of {water+ammonia}—Continued

				Bul	ble point	$(\xi' = \overline{\xi})$						De	w point	$\overline{(\xi''=\overline{\xi})}$)		
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	$s^{\prime\prime}$	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	<i>s</i> "
$^{\circ}\mathrm{C}$		kPa		kg	/m ³	kJ/	kg	kJ/(l	kg K)	kPa		kg	/m ³	kJ/	kg	kJ/(l	kg K)
200	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7 \end{array}$	$\begin{array}{c} 1554.9 \\ 2751.3 \\ 4180.1 \\ 6010.4 \\ 8236.6 \\ 10704.2 \\ 13231.8 \\ 15732.3 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.43655 \\ 0.63514 \\ 0.74986 \\ 0.81680 \\ 0.85370 \\ 0.87087 \\ 0.86697 \end{array}$	809.36 757.59 706.35 651.46 588.39 513.77 426.31	$\begin{array}{c} 7.8610 \\ 13.997 \\ 21.824 \\ 32.830 \\ 48.229 \\ 69.201 \\ 98.453 \\ 150.35 \end{array}$	832.84 829.31 844.73 882.55 945.34 1034.5 1156.3	2427.6 2244.3 2116.8 2012.7 1915.5 1811.5 1665.3	2.5310 2.6897 2.8511 3.0301 3.2372 3.4796 3.7731	5.8092 5.5443 5.2706 4.9157	1730.0 1947.2 2223.7 2587.7 3089.2 3828.2	$\begin{array}{c} 0.00000 \\ 0.01486 \\ 0.03331 \\ 0.05680 \\ 0.08692 \\ 0.12594 \\ 0.17760 \\ 0.24999 \end{array}$	856.39 845.96 832.84 816.38 795.66 769.00 732.16	$\begin{array}{c} 13.136 \\ 15.797 \\ 19.841 \\ 26.848 \end{array}$	848.12 843.86 839.25 834.50 830.32 828.59 834.42	2711.3 2628.9 2545.0 2459.4 2371.3 2278.7 2176.3	2.3306 2.3718 2.4116 2.4565 2.5092 2.5731 2.6546 2.7689	6.5567 6.6011 6.6044 6.5721 6.5027 6.3881 6.2072
210	0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7	$ \begin{array}{c} 1907.7 \\ 3280.1 \\ 4887.5 \\ 6906.9 \\ 9319.5 \\ 11952.8 \\ 14631.5 \\ 17145.4 \end{array} $	$\begin{array}{c} 0.00000 \\ 0.41668 \\ 0.61131 \\ 0.72542 \\ 0.79242 \\ 0.82856 \\ 0.84200 \\ 0.83960 \end{array}$	796.38 743.31 690.26 632.69 565.60 485.86		881.76 881.61 900.62	2264.7 2133.8 2024.2 1919.0 1799.6	2.6319 2.7971 2.9653 3.1522 3.3694 3.6262	6.3564 6.4822 6.2781 6.0291 5.7664 5.4980 5.2018 4.6867	2393.3 2736.5 3189.9 3818.0 4751.9	$\begin{array}{c} 0.00000 \\ 0.01587 \\ 0.03573 \\ 0.06109 \\ 0.09370 \\ 0.13603 \\ 0.19241 \\ 0.27284 \end{array}$	843.71 832.30 817.91 799.82 776.99 747.29 704.92	12.040 13.813 16.199 19.593 24.847 34.296	893.84 890.05 886.08 882.31 879.76 881.00 893.34	2716.4 2633.5 2548.9 2462.1 2372.2 2276.2 2166.4	2.4246 2.4693 2.5131 2.5626 2.6211 2.6925 2.7847 2.9183	6.4821 6.5252 6.5266 6.4916 6.4179 6.2959 6.0988
220	$0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \\ 0.7$	2319.6 3882.1 5678.3 7892.2 10488.0 13275.7 16074.7 18374.1	$\begin{array}{c} 0.00000 \\ 0.39709 \\ 0.58706 \\ 0.69968 \\ 0.76573 \\ 0.79965 \\ 0.80452 \\ 0.72567 \end{array}$	782.74 728.21 673.06 612.30 540.47 454.39	11.615 19.785 30.016 44.216 64.145 92.440 139.92 296.49	$931.54 \\ 935.10$	2464.9 2282.6 2148.3 2032.5 1917.3 1771.4	2.7323 2.9044 3.0802 3.2762 3.5056 3.7828	6.2841 6.4124 6.2200 5.9785 5.7176 5.4405 5.0978 4.3467	2585.4 2916.3 3339.6 3901.0 4684.4 5864.3	0.00000 0.01697 0.03837 0.06580 0.10117 0.14726 0.20923 0.30037	830.39 817.87 802.04 782.10 756.76 723.21	12.956 14.657 16.875 19.888 24.235 31.134	940.25 937.07 933.96 931.48 931.08 936.34	2719.8 2636.2 2550.6 2462.2 2369.6 2268.8	2.5177 2.5664 2.6145 2.6694 2.7344 2.8146 2.9202 3.0808	6.4088 6.4503 6.4493 6.4107 6.3314 6.1990
230	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6 \end{array}$	2797.1 4563.4 6558.4 8970.4 11743.8 14670.2 17525.8	$\begin{array}{c} 0.00000 \\ 0.37777 \\ 0.56241 \\ 0.67261 \\ 0.73649 \\ 0.76588 \\ 0.74761 \end{array}$	768.38 712.16 654.55 589.97 512.50 417.50	13.985 23.374 35.077 51.296 74.305 108.64 184.87	$\begin{array}{c} 990.20 \\ 982.29 \\ 989.95 \\ 1017.6 \\ 1070.2 \\ 1153.0 \\ 1277.0 \end{array}$	2479.7 2297.7 2159.6 2036.5 1907.0	2.8324 3.0121 3.1962 3.4029 3.6477	$\begin{array}{c} 6.2129 \\ 6.3416 \\ 6.1587 \\ 5.9227 \\ 5.6601 \\ 5.3647 \\ 4.8943 \end{array}$	3121.1 3525.4 4044.4 4736.7 5711.8 7208.2	$\begin{array}{c} 0.00000 \\ 0.01818 \\ 0.04126 \\ 0.07099 \\ 0.10944 \\ 0.15987 \\ 0.22877 \end{array}$	816.37 802.59 785.11 763.00 734.60 695.96	15.639 17.751 20.526 24.342 29.952 39.190	985.07 983.07 982.30 984.76 995.63	2721.3 2636.8 2549.7 2459.2 2363.0 2255.1	2.6101 2.6633 2.7163 2.7772 2.8499 2.9407 3.0637	6.3362 6.3756 6.3716 6.3285 6.2416 6.0944
240	$0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \\ 0.6$	$\begin{array}{c} 3347.0 \\ 5330.4 \\ 7533.4 \\ 10145.6 \\ 13087.9 \\ 16129.4 \\ 18933.7 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.35871 \\ 0.53737 \\ 0.64415 \\ 0.70431 \\ 0.72497 \\ 0.66066 \end{array}$	753.21 695.04 634.50 565.28 480.93 372.91	16.749 27.526 40.943 59.607 86.677 131.14 271.94	1037.6 1034.1 1046.4 1079.3 1139.0 1232.7 1383.4	2491.7 2309.6 2166.9 2034.5 1881.4 1555.3	2.9325 3.1204 3.3141 3.5336 3.7987 4.1592	$5.2558 \\ 4.5393$	3739.6 4230.7 4864.1 5715.2 6929.6 8848.0	$\begin{array}{c} 0.00000 \\ 0.01950 \\ 0.04446 \\ 0.07673 \\ 0.11870 \\ 0.17428 \\ 0.25229 \end{array}$	801.56 786.35 766.96 742.26 710.00 664.05	18.788 21.409 24.890 29.750 37.092 49.883	1037.6 1035.6 1034.2 1033.7 1035.1 1041.5 1060.6	2720.6 2634.8 2545.9 2452.4 2351.0 2232.3	2.7020 2.7601 2.8188 2.8866 2.9684 3.0725 3.2196	6.2639 6.3007 6.2928 6.2437 6.1462 5.9765
250	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \end{array}$	$\begin{array}{c} 3976.2 \\ 6189.6 \\ 8608.9 \\ 11421.5 \\ 14519.8 \\ 17636.4 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.33989 \\ 0.51191 \\ 0.61415 \\ 0.66845 \\ 0.67033 \end{array}$	737.12 676.66 612.58 537.68	$\begin{array}{c} 19.967 \\ 32.336 \\ 47.786 \\ 69.512 \\ 102.36 \\ 168.81 \end{array}$	1085.8 1087.3 1104.6 1143.8 1212.2 1321.7	2500.6 2317.8 2169.2 2023.6	$3.2298 \\ 3.4346 \\ 3.6700$	$6.1947 \\ 6.0237$	5043.3 5813.5 6858.6	$\begin{array}{c} 0.00000 \\ 0.02096 \\ 0.04799 \\ 0.08314 \\ 0.12918 \\ 0.19112 \end{array}$	785.89 769.01 747.37 719.49	22.480 25.740 30.126 36.382	1085.8 1084.8 1084.7 1086.0 1090.5 1102.3	2717.5 2630.1 2538.6 2441.0	2.7935 2.8572 2.9223 2.9982 3.0911 3.2123	6.1914 6.2249 6.2119 6.1546

Table 4. Saturation properties of {water+ammonia}—Continued

				Bul	oble point	$(\xi' = \overline{\xi})$	+					De	ew point ($(\xi''=\overline{\xi})$			
t	$\overline{m{\xi}}$	p_B	ξ"	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''	p_D	ξ'	ϱ'	$\varrho^{\prime\prime}$	h'	h''	s'	s''
°C		kPa	****	kg	g/m ³	kJ/	'kg	kJ/(l	kg K)	kPa		kg	g/m ³	kJ,	/kg	kJ/(l	kg K)
260	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \end{array}$	4692.3 7147.9 9790.5 12801.0 16036.0 19152.3	$\begin{array}{c} 0.00000 \\ 0.32129 \\ 0.48597 \\ 0.58236 \\ 0.62744 \\ 0.59035 \end{array}$	719.98 656.81 588.39 506.36		1135.0 1141.8 1165.0 1211.7 1291.6 1426.0	2321.5 2165.1 1998.6	2.8850 3.1336 3.3408 3.5588 3.8147 4.1548	6.1175 5.9479 5.7063 5.3865	4692.3 5259.7 5975.2 6909.9 8195.3 10119.7	$\begin{array}{c} 0.00000 \\ 0.02258 \\ 0.05193 \\ 0.09036 \\ 0.14125 \\ 0.21154 \end{array}$	769.22 750.40 726.04 694.11	$\begin{array}{c} 23.712 \\ 26.814 \\ 30.885 \\ 36.458 \\ 44.646 \\ 58.317 \end{array}$	1135.0 1135.2 1136.7 1140.5 1149.1 1169.1	$\begin{array}{c} 2711.7 \\ 2622.1 \\ 2527.2 \\ 2423.7 \end{array}$	2.8850 2.9550 3.0275 3.1131 3.2196 3.3649	6.1180 6.1472 6.1277 6.0591
270	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \\ 0.5 \end{array}$	5503.0 8212.0 11083.7 14285.5 17624.7 20238.1	$\begin{array}{c} 0.00000 \\ 0.30284 \\ 0.45943 \\ 0.54830 \\ 0.57769 \\ 0.51553 \end{array}$	701.63 635.17 561.32 469.96		1185.3 1198.1 1228.1 1284.0 1379.8 1561.5	2507.6 2320.0 2152.3 1947.6	2.9765 3.2354 3.4543 3.6883 3.9726 4.4010	$\begin{array}{c} 6.0367 \\ 5.8646 \\ 5.6078 \\ 5.2158 \end{array}$	5503.0 6180.9 7040.5 8174.4 9764.0 12268.6	$\begin{array}{c} 0.00000 \\ 0.02438 \\ 0.05637 \\ 0.09862 \\ 0.15549 \\ 0.23809 \end{array}$	751.42 730.26 702.54 665.17	28.073 31.917 37.034 44.208 55.215 75.680	1185.3 1187.0 1190.7 1197.8 1212.1 1245.7	2702.9 2610.3 2510.6 2398.4	2.9765 3.0539 3.1351 3.2323 3.3569 3.5399	6.0431 6.0667 6.0383 5.9534
280	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \end{array}$	6416.6 9389.1 12493.1 15872.8 19241.8	$\begin{array}{c} 0.00000 \\ 0.28449 \\ 0.43210 \\ 0.51108 \\ 0.51115 \end{array}$	681.85 611.34 530.51	33.165 52.133 77.018 116.52 214.72	1236.9 1256.4 1294.4 1362.2 1482.7	2504.7 2312.2 2127.3	3.0685 3.3387 3.5711 3.8256 4.1537	5.9515 5.7718 5.4863	$\begin{array}{c} 6416.6 \\ 7224.0 \\ 8255.0 \\ 9633.6 \\ 11625.2 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.02641 \\ 0.06141 \\ 0.10822 \\ 0.17301 \end{array}$	$\begin{array}{c} 732.29 \\ 708.27 \\ 676.21 \end{array}$	33.165 37.954 44.453 53.871 69.351	1236.9 1240.6 1247.1 1258.7 1281.8	$2690.4 \\ 2593.8 \\ 2487.3$	3.0685 3.1543 3.2459 3.3579 3.5078	$5.9658 \\ 5.9821 \\ 5.9413$
290	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \\ 0.4 \end{array}$	7441.8 10686.3 14022.3 17552.0 20625.0	$\begin{array}{c} 0.00000 \\ 0.26614 \\ 0.40366 \\ 0.46874 \\ 0.43162 \end{array}$	660.34 584.70 494.45	39.132 61.255 91.379 144.66 300.96	1290.0 1317.2 1364.9 1448.9 1614.7	2496.7 2296.3 2082.8	$\begin{array}{c} 3.1612 \\ 3.4441 \\ 3.6928 \\ 3.9752 \\ 4.3839 \end{array}$	$5.8606 \\ 5.6662 \\ 5.3272$	7441.8 8401.3 9638.3 11324.9 13897.0	$\begin{array}{c} 0.00000 \\ 0.02871 \\ 0.06724 \\ 0.11972 \\ 0.19638 \end{array}$	711.55 683.94 645.98	39.132 45.149 53.533 66.289 90.035	1290.0 1296.2 1306.5 1324.6 1362.7	$\begin{array}{c} 2673.8 \\ 2571.6 \\ 2454.9 \end{array}$	3.1612 3.2570 3.3614 3.4928 3.6835	5.8851 5.8915 5.8325
300	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \end{array}$	$\begin{array}{c} 8588.0 \\ 12110.9 \\ 15671.8 \\ 19278.4 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.24768 \\ 0.37353 \\ 0.41678 \end{array}$	$636.67 \\ 554.31$		$\begin{array}{c} 1345.0 \\ 1381.0 \\ 1441.1 \\ 1550.1 \end{array}$	2482.5	$3.2552 \\ 3.5526 \\ 3.8218 \\ 4.1468$	5.7621 5.5429	$\begin{array}{c} 8588.0 \\ 9727.0 \\ 11215.0 \\ 13307.2 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.03136 \\ 0.07413 \\ 0.13418 \end{array}$	$688.83 \\ 656.52$	$\begin{array}{c} 46.168 \\ 53.823 \\ 64.888 \\ 83.096 \end{array}$	$1345.0 \\ 1354.4 \\ 1370.0 \\ 1398.0$	2652.1	3.2552 3.3629 3.4835 3.6428	5.7995 5.7921
310	$\begin{array}{c} 0.0 \\ 0.1 \\ 0.2 \\ 0.3 \end{array}$	$\begin{array}{c} 9865.1 \\ 13669.7 \\ 17435.0 \\ 20854.0 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.22890 \\ 0.34060 \\ 0.34755 \end{array}$	$610.23 \\ 518.53$	$\begin{array}{c} 54.541 \\ 85.738 \\ 134.67 \\ 270.71 \end{array}$	1402.2 1448.8 1525.5 1682.1	$2460.8 \\ 2227.8$	3.3510 3.6655 3.9622 4.3684	$5.6536 \\ 5.3928$	$\begin{array}{c} 9865.1 \\ 11218.0 \\ 13019.6 \\ 15702.7 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.03448 \\ 0.08254 \\ 0.15421 \end{array}$	$\begin{array}{c} 663.59 \\ 624.73 \end{array}$	54.541 64.455 79.590 108.42	$1402.2 \\ 1416.0 \\ 1439.1 \\ 1485.0$	$2623.9 \\ 2501.7$	3.3510 3.4734 3.6156 3.8216	$5.7070 \ 5.6793$
320	$0.0 \\ 0.1 \\ 0.2$	$\begin{array}{c} 11284.4 \\ 15368.6 \\ 19279.0 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.20950 \\ 0.30237 \end{array}$	$580.03 \\ 473.61$	171.63	$\begin{array}{c} 1462.2 \\ 1521.9 \\ 1624.3 \end{array}$	$2429.3 \\ 2161.1$	$3.4495 \\ 3.7850 \\ 4.1237$	$5.5311 \\ 5.1966$	$\begin{array}{c} 11284.4 \\ 12895.5 \\ 15107.7 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.03822 \\ 0.09342 \end{array}$	$634.93 \\ 586.10$	$\begin{array}{c} 64.638 \\ 77.816 \\ 99.808 \end{array}$	$\begin{array}{c} 1462.2 \\ 1482.2 \\ 1517.1 \end{array}$	$2587.3 \\ 2445.6$	$3.4495 \\ 3.5906 \\ 3.7645$	5.6045 5.5438
330	$0.0 \\ 0.1 \\ 0.2$	$\begin{array}{c} 12858.2 \\ 17210.2 \\ 21060.9 \end{array}$	$\begin{array}{c} 0.00000 \\ 0.18892 \\ 0.25235 \end{array}$	$544.27 \\ 408.38$	$\overline{236.33}$	$\begin{array}{c} 1525.9 \\ 1603.1 \\ 1755.6 \end{array}$	$2384.1 \\ 2048.0$	3.5518 3.9151 4.3364	$5.3874 \\ 4.9094$	17600.5	$\begin{array}{c} 0.00000 \\ 0.04292 \\ 0.10939 \end{array}$	$601.35 \\ 534.10$	$\begin{array}{c} 77.050 \\ 95.290 \\ 131.51 \end{array}$	$\begin{array}{c} 1525.9 \\ 1554.8 \\ 1612.6 \end{array}$	$2538.8 \\ 2358.3$	3.5518 3.7183 3.9482	5.4867 5.3615
340	$0.0 \\ 0.1$	14600.8 19183.6	$\begin{array}{c} 0.00000 \\ 0.16586 \end{array}$		$92.759 \\ 158.04$	$\frac{1594.5}{1698.4}$		$\frac{3.6601}{4.0656}$		$\frac{14600.8}{16942.9}$	$\begin{array}{c} 0.00000 \\ 0.04924 \end{array}$	$\frac{610.67}{559.59}$	92.759 119.84	$\begin{array}{c} 1594.5 \\ 1638.3 \end{array}$	$\begin{array}{c} 2621.9 \\ 2471.3 \end{array}$	$\frac{3.6601}{3.8645}$	$5.3356 \\ 5.3425$

TABLE 5. Properties of {water+ammonia} in the one-phase region

		water			$\xi = 0.2$	2		$\xi = 0.4$!		$\xi = 0.6$	3		$\xi = 0.8$		а	mmoni	ia
t	ρ	\boldsymbol{h}	8	ρ	\boldsymbol{h}	8	ρ	\boldsymbol{h}	s	Q	$m{h}$	8	ρ	\boldsymbol{h}	\boldsymbol{s}	ρ	$m{h}$	8
$^{\circ}\mathrm{C}$	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	_kJ_	kg	<u>kJ</u>	kJ_	\underline{kg}	$\underline{\mathbf{kJ}}$	_kJ	$\underline{\mathbf{kg}}$	<u>kJ</u>	kJ_	<u>kg</u>	<u>kJ</u>	_kJ_	<u>kg</u>	$\underline{\mathbf{kJ}}$	_kJ_
	m ³	kg	$kg \cdot K$	m ³	kg	kg · K	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	kg · K	m ³	kg	kg · K
								1	o = 0.1	MPa								
-50				040 54	100.10	0.1074	905.65	-305.29	-0.4300	856.63	-259.66		780.35	-101.43	0.1286	702.11	118.47 1580.50	
$-25 \\ 0$				940.54	-192.18 -87.06			-209.34 -104.59	-0.0229 0.3791	833.83	-149.52	0.2018					1635.65	
25	997.05	104.92		923.57	19.07	0.5780											1689.84	
50 75	988.03	209.42 314.08	0.7038 1.0157										0.5998	1964.71	7.6155		1744.04 1798.74	
100		2675.79		0.5814		7.6450	0.5736		7.7682	0.5659	2183.79		0.5585				1854.24	
125		2726.73 2776.62		$0.5431 \\ 0.5099$	2563.94 2615.13	7.7787 7.9034	0.5362	2400.80 2453.48	7.9046 8.0329	0.5294	2237.54 2291.79		$0.5227 \\ 0.4913$				1910.71 1968.27	
150 175		2826.10		0.3099	2666.34	8.0209		2453.46 2506.51		0.4974 0.4692	2346.70		0.4636				2027.02	
200		2875.47		0.4548	$2717.77 \\ 2769.55$	8.1326 8.2393		2560.06 2614.21	8.2709	$0.4441 \\ 0.4215$	2402.38 2458.90		0.4388				2087.02 2148.32	
225 250		2924.92 2974.54		0.4316	2821.76	8.3415		2669.02		0.4213	2516.31		0.3966				2148.32	
275	0.3964	3024.40	8.1278	0.3918	2874.45	8.4399	0.3872	2724.53	8.5934	0.3828	2574.66	8.6646	0.3784	2424.82	8.6544	0.3741	2274.98	8.4917
300		3074.56 3125.03	8.2172 8.3034	0.3745	2927.65 2981.40	8.5348 8.6266	$0.3702 \\ 0.3546$	2780.79 2837.81		0.3660	2633.97 2694.25		0.3618				2340.39 2407.22	
350		3175.85			3035.71		0.3403			0.3365	2755.54		0.3326	2615.50				
								1	o = 0.2	MPa								
-50								-305.18										0.5657
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	999.89	0.16	-0.0001		-192.07 -86.96			-209.25 -104.50			-149.44 -34.94	$0.2016 \\ 0.6412$	753.43	11.31	0.6068		229.20 1626.97	1.0355 6.5272
25	997.09	105.01	0.3672		19.16		858.11	5.63	0.7647	000.00	04.54	0.0412				1.4035	1683.67	6.7259
50 75	988.08 974.89	209.51 314.16	0.7037 1.0157	908.11	127.06	0.9254											1739.39 1795.08	
100	958.40		1.3071							1.1417	2177.60	7.4647	1.1243	2014.70	7.4229		1851.27	
125	1.1138	2716.61	7.1531	1.0971	2555.98		1.0812			1.0657	2232.65	7.6075	1.0507	2070.59	7.5679	1.0361	1908.23	7.3750
150 175		2769.12 2820.25		1.0275 0.9671	2608.97 2661.39		1.0136 0.9546	2448.44 2502.39		1.0000	2287.80 2343.37		0.9866				$\begin{array}{c} 1966.17 \\ 2025.21 \end{array}$	
200	0.9255	2870.75	7.5081	0.9139	2713.69	7.8026	0.9024	2556.60	7.9382	0.8911	2399.55	7.9915	0.8800	2242.52	7.9633	0.8690	2085.44	7.7824
225	l	2921.01		0.8665	2766.12		0.8559	2611.26		0.8454	2456.46		0.8350				2146.93	
$\begin{vmatrix} 250 \\ 275 \end{vmatrix}$		2971.24 3021.57		0.8240	2818.82 2871.90	8.0137 8.1129	0.8141 0.7763	2666.46 2722.30		0.8042	2514.19 2572.79		0.7946 0.7579				$\begin{array}{c} 2209.73 \\ 2273.88 \end{array}$	
300	0.7597	3072.09	7.8941	0.7507	2925.41	8.2083	0.7419	2778.82	8.3640	0.7331	2632.30	8.4373	0.7245	2485.84	8.4293	0.7160	2339.40	8.2687
325 350		3122.87 3173.93		0.7189	2979.42 3033.94	8.3005 8.3898	0.7105	2836.05 2894.03		$0.7021 \\ 0.6737$	$2692.76 \\ 2754.19$		0.6940	2549.53 2614.42			2406.33 2474.67	
	12.00.0		2.0010	1-1000			1			L			1					

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$	2		$\xi = 0.4$			$\xi = 0.6$	i		$\xi = 0.8$		a	mmoni	ia
t	ϱ	$m{h}$	\boldsymbol{s}	ρ	\boldsymbol{h}	8	ρ	\boldsymbol{h}	s	Q	\boldsymbol{h}	8	Q	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	s
$ $ $^{\circ}$ C	kg	$\underline{\mathbf{kJ}}$	_kJ_	kg	\underline{kJ}	_kJ_	kg	$\underline{\mathbf{kJ}}$	kJ_	kg	kJ	_kJ	kg	\underline{kJ}	_kJ_	kg	\underline{kJ}	_kJ_
	m³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	$\overline{\mathrm{m}^3}$	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$
								1	$\rho = 0.3$	MPa								
-50											-259.48							0.5655
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	999.94	0.26	-0.0001		-191.97 -86.87			-209.15 -104.42			-149.35 -34.86	$0.2015 \\ 0.6410$	753.48	11.39	0.6066		229.28 1617.88	
25	997.14	105.10	0.3671	923.64	19.24	0.5778		5.72	0.7646		01.00	0.0110				2.1289	1677.34	6.5119
50 75	988.12	209.59 314.24		908.15	127.14 236.97	0.9253 1.2526											1734.66 1791.38	
100	958.44	419.32	1.3071	000.00	200.0.	1.2020							1.6975	2010.19	7.2181		1848.27	
125			1.5815	1 5504	0000 50	7.0077	1.6358	2387.92			2227.65		1.5840				1905.74	
150 175		2761.21 2814.19		1.5534	2602.59 2656.33		1.5304	2443.28 2498.19			2283.76 2340.01		1.4858 1.3997	2124.06 2181.79				
200		2865.91			2709.55			2553.10			2396.71		1.3234	2240.33				
$\begin{vmatrix} 225 \\ 250 \end{vmatrix}$	l	2917.03 2967.89		1.3048	2762.64 2815.85	7.7160	1.2881	2608.28 2663.90		1.2716 1.2092	2454.01 2512.05	7.9114 8.0251	1.2553				2145.54 2208.50	ŀ
275		3018.70	7.6130	1.1816	2869.33		1.1671	2720.06	8.0687	1.1527	2570.90		1.1386	2421.83	8.1200	1.1246	2272.78	7.9523
300		3069.61 3120.68		1.1286 1.0804	2923.16 2977.42		1.1150 1.0674	2776.83 2834.29	8.1700 8.2681		2630.63 2691.27		1.0881 1.0421	2484.51 2548.33				
		3172.00			3032.16			2892.45			2752.85			2613.33				
				<u> </u>				1	0 = 0.4	MPa								
-50							905.73	-304.98	-0.4301	856.72	-259.39	-0.2662	780.46	-101.16	0.1281	702.24	118.74	0.5652
-25	000 00	0.27	0.0001		-191.86							0.2014			0.6064			1.0350
$\begin{vmatrix} 0 \\ 25 \end{vmatrix}$	999.99	105.20	-0.0001 0.3671	933.26	-86.77 19.33		858.19	104.33 5.80	0.3766	809.63	-34.78	0.6409	725.01	120.84	1.0493		1608.30 1670.81	
50	988.17	209.68		908.18	127.23	0.9252											1729.84	
100	974.98 958.49	314.32 419.39	1.3070	889.73	237.05	1.2525							2.2786	2005 61	7 0700		1787.64 1845.25	
125	939.11	525.19	1.5814								2222.55	7.2574		2063.27	7.2196	2.0871	1903.24	7.0274
150 175		2752.81 2807.91		2.0881 1.9580	2595.98 2651.14		2.0543 1.9291	2438.00 2493.92			$\begin{array}{c} 2279.66 \\ 2336.62 \end{array}$	7.3965	1.9891 1.8723				1961.94 2021.58	
200	1	2860.95		1.8455	2705.32		1.8199	2549.56		1.7944	2393.84		1.7692				2021.38	
225		2912.98			2759.12		1.7234	2605.28			2451.55		1.6774	2297.88				I .
$\begin{vmatrix} 250 \\ 275 \end{vmatrix}$	1	2964.50 3015.81		1.6586	2812.86 2866.74	7.6817 7.7823	1.6373	2661.31 2717.80		1.6160 1.5400	2509.90 2569.02		1.5949 1.5204				2207.26 2271.68	
300	1.5270	3067.10	7.5678	1.5082	2920.90	7.8789	1.4896	2774.85	8.0316	1.4711	2628.95	8.1020	1.4527	2483.17	8.0911	1.4347	2337.43	7.9277
325		3118.49 3170.06		1.4432	2975.42 3030.38	7.9720 8.0620	$1.4256 \\ 1.3671$	2832.52 2890.86		1.4082	2689.77 2751.50		1.3909	$\begin{array}{c} 2547.13 \\ 2612.25 \end{array}$				
L-000	1.1000	5115.00	100	1.0000	3000.00	0.0020	2.00.1	2000.00	0.2200	1.0000	2.01.00	0.0010	1.00TO	2012.20	5.5010	1.0102	21.0.00	3.1340

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TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$	2		$\xi = 0.4$	<u> </u>		$\xi = 0.6$;		$\xi = 0.8$		а	mmon	ia
t	ρ	\boldsymbol{h}	8	ρ	\boldsymbol{h}	8	ρ	$m{h}$	8	ρ	\boldsymbol{h}	8	ρ	$m{h}$	8	ρ	\boldsymbol{h}	s
$ \cdot_{\rm C} $	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{k}}$	_kJ_	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	_kJ_	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	_kJ_	kg	\underline{kJ}	kJ_	kg	kJ	kJ_	kg	$\underline{\mathbf{kJ}}$	kJ
	m ³	\overline{kg}	$kg \cdot K$	m³	$\overline{\mathrm{kg}}$	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m³	$\overline{\mathrm{kg}}$	kg · K	m ³	$\overline{\text{kg}}$	kg · K	m ³	kg	kg · K	m ³	$\overline{\mathrm{kg}}$	$\overline{\mathbf{kg}\cdot\mathbf{K}}$
								p	= 0.5	MPa								
-50				0.40.70	101 70	0.1071		-304.88								702.28		0.5650
$-25 \\ 0$	1000.05	0.47	-0.0001	940.70	-191.76 -86.68			-208.96 -104.24		833.97	-149.18 -34.70	0.2012 0.6407	753.58 725.06		0.6062 1.0491	671.72 638.62		1.0347
25	997.23	105.29	0.3671	923.72	19.42	0.5777	858.22	5.88	0.7644		82.31	1.0505				3.6329	1664.09	6.2286
50 75	988.21 975.02	209.76 314.40	0.7036 1.0155		127.31 237.13	$0.9251 \\ 1.2524$	836.65	119.41	1.1300								1724.94 1783.85	
100	958.54	419.47	1.3069		201125	1,2021										l	1842.20	
125	939.16	525.26	1.5813		0500 10	7 1015		0.400.00		2.7204	2217.34		2.6677	2059.54				
150 175	$917.02 \\ 2.5032$	632.20 2801.39	1.8418 6.9428	2.6322	2589.13 2645.82		2.5856 2.4242	2432.60 2489.59		2.5404 2.3858	2275.49 2333.19		2.4967 2.3481	2117.94 2176.63				
200	2.3528	2855.86	7.0611	2.3184	2701.03	7.3546	2.2845	2545.97	7.4888	2.2508	2390.94	7.5405	2.2174	2235.90	7.5106	2.1848	2080.69	7.3277
225	2.2225	2908.85		2.1920	2755.55		2.1616	2602.25		2.1314	2449.07		2.1013	2295.95		l		
$\frac{250}{275}$	$2.1078 \\ 2.0055$	2961.06 3012.89	7.2725 7.3693		2809.83 2864.13		2.0524 1.9543	2658.70 2715.53		2.0247 1.9288	2507.75 2567.12	7.7751 7.8860	1.9973	2356.90 2418.84				
300	1.9135	3064.58	7.4615		2918.62	7.7718	1.8657	2772.85	7.9236	1.8419	2627.27	7.9933	1.8182	2481.83	7.9817	1.7949	2336.44	7.8175
325 350	1.8300 1.7539	3116.28 3168.11		1.8075 1.7326	2973.41 3028.59		1.7851 1.7114	2830.74 2889.27		1.7627	2688.26 2750.14		1.7406	2545.93 2611.16				
300	1.1000	0100.11	7.0017	1020	0020.00	1.0001	1111		= 0.6		2.00.11	0.1000	1.0001	2011:10	0.1070	1.0100	21,2,21	0.0110
-50							005.70	-304.78			-259.21	-0.2664	790.54	100.00	0.1979	702.32	119.00	0.5648
$-30 \\ -25$				940.73	-191.65	-0.1974		-304.78 -208.87				0.2004			0.1278	671.77		1.0344
0	1000.10		-0.0001		-86.58			-104.15		809.73	-34.61	0.6405	725.12	126.99	1.0488	638.69		1.4710
25 50	997.27 988.25	$\frac{105.38}{209.85}$	$0.3671 \\ 0.7035$		19.51 127.39	$0.5776 \\ 0.9251$		5.97 119.49	0.7643 1.1298	784.24	82.39	1.0504					1657.16 1719.95	
75	975.06	314.49	1.0154		237.21	1.2523	000.00	110.10	1.1200								1780.01	
100	958.58	419.54		868.75	349.11	1.5627									= 0000		1839.13	
125 150	939.21 917.08	525.33 632.26	$\frac{1.5812}{1.8417}$				3.1247	2427.06	7 1394	3.0655	2271.27	7 1881	3.2183	2055.77 2114.84			1898.19 1957.68	
175	3.0274	2794.60	6.8467	2.9752	2640.36		2.9249	2485.18	7.2728	2.8755	2329.72	7.3223	2.8271	2174.03	7.2896	2.7803	2017.92	7.1034
$\frac{200}{225}$	2.8399 2.6793	2850.64 2904.64	6.9684 7.0796	2.7963	2696.66 2751.94		2.7532 2.6030	2542.34 2599.19		$2.7104 \\ 2.5649$	2388.03 2446.57	7.4489 7.5695	2.6681	2233.68 2294.02				
$\frac{225}{250}$	$\frac{2.6793}{2.5387}$	2957.57	7.1833	l .	2806.78	7.4837		2656.08	7.6255	1	2505.58	7.6850		2294.02 2355.20		1		1
275	2.4139	3009.94	7.2811	2.3823	2861.50	7.5859	2.3507	2713.25	7.7322	2.3191	2565.22		2.2876	2417.33	7.7792	2.2565	2269.47	7.6095
300	2.3019	3062.03	7.3740		2916.33	7.6837		2770.84		2.2139	2625.58		2.1847	2480.49				
350		3114.06		2.1732	3026.80		2.1457	2828.96 2887.68		2.1182	2686.76 2748.79		2.0910 2.0051	2544.72 2610.07				
325 350	2.2007	3114.06 3166.15	7.4629	2.1732	2971.40	7.7777	2.1457	2828.96	7.9342	2.1182	2686.76	8.0085	2.0910	2544.72	8.0016	2.0640	2402.76	7.

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$	2		$\xi = 0.4$	ł		$\xi = 0.6$	}		$\xi = 0.8$		a	mmoni	ia
t	ρ	$m{h}$	8	ρ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	8	ρ	$m{h}$	8	ρ	\boldsymbol{h}	8
$ _{^{\circ}C}$	kg	\mathbf{kJ}	kJ_	kg	$\underline{\mathbf{kJ}}$	kJ	kg	<u>kJ</u>	kJ	kg	kJ	kJ	kg	kJ	kJ	kg	$\mathbf{k}J$	kJ
	m ³	$\overline{\mathrm{kg}}$	$\overline{\mathrm{kg}\cdot\mathrm{K}}$	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	m ³	kg	$\overline{\mathrm{kg}\cdot\mathrm{K}}$
								p	0.8	MPa								
-50				0.40.01	101.44	0.1074		-304.57				-0.2667						0.5643
$-25 \\ 0$	1000.20	0.77	-0.0001	940.81	-191.44 -86.39			-208.68 -103.98	-0.0234 0.3784		-148.92 -34.45	$0.2008 \\ 0.6402$			0.6057 1.0484			1.0338
25	997.36	105.57	0.3670	923.83	19.69	0.5775	858.33	6.13	0.7640		82.54	1.0500					1642.56	
50 75	988.34 975.15	$210.02 \\ 314.65$	$0.7035 \\ 1.0153$		127.56 237.36	$0.9249 \\ 1.2521$	836.77	119.65	1.1296								1709.67	
100	958.68	419.69		868.84	349.25	1.5625											1772.21 1832.91	
125	939.31	525.47	1.5810	000.04	043.20	1.0020	1						4.3380	2048.09	6.8565		1893.08	
150	917.19	632.38	1.8415	, , , , ,	2022 02			0.=0.40			2262.62		4.0453	2108.57	7.0039	3.9619	1953.38	6.8173
$\begin{vmatrix} 175 \\ 200 \end{vmatrix}$	$\begin{vmatrix} 4.1041 \\ 3.8331 \end{vmatrix}$	2780.06 2839.77		4.0213 3.7675	2629.02 2687.67		3.9438	2476.13 2534.95	7.1217 7.2494	3.8683	2322.67 2382.13	7.1732 7.3023		2168.77	7.1421	3.7244	2014.24 2075.91	6.9570
225	3.6063	2896.00	6.9335		2744.57		3.4952	2592.99	7.3689		2441.54	7.4246					2138.56	
250	3.4106	2950.46		3.3615	2800.58		3.3122	2650.79		3.2627	2501.22	7.5415	3.2133	2351.79	7.5195	3.1647	2202.31	7.3448
300	3.2384 3.0849	3003.94 3056.89	7.1401 7.2345	3.1940	2856.19 2911.71		3.1493	2708.65		3.1044	2561.39 2622.20	7.6539					2267.26	
325		3109.58	7.2345 7.3245		2967.33		2.8706	2766.81 2825.38		2.9618 2.8323	2683.73	7.7623 7.8674		2477.80 2542.30	7.7495	2.7562	2333.46 2400.96	7.5841
350	2.8215	3162.20	7.4107	2.7858	3023.19		2.7501	2884.48		2.7143	2746.07		2.6785				2469.81	
								p	= 1.0	MPa								
-50								-304.37				-0.2669	780.70	-100.62	0.1271	702.49	119.28	0.5638
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1000.30	0.08	-0.0001		-191.23 -86.20	-0.1974		-208.50 -103.80	-0.0235		-148.75 -34.29	0.2006			0.6053		229.83	
25	997.45	105.75	0.3670		19.87		858.41	6.30	$0.3782 \\ 0.7638$		-34.29 82.70	0.6399 1.0497			1.0479 1.4614		343.51 1626.84	
50	988.43	210.20	0.7034	908.42	127.73	0.9247	836.85	119.80	1.1293							6.8984	1698.96	6.0252
75	975.24	314.81	1.0152		237.52	1.2519	813.26	236.08	1.4759								1764.20	1
100 125	958.77 939.42	419.84 525.61		868.93 845.30	349.39 463.70	$1.5622 \\ 1.8587$							5.4838	2040-22	6 7340		1826.59 1887.91	
150	917.31	632.51	1.8412	010.00	100.10	1.0001				5.2293	2253.70	6.9127		2102.19				
175	892.35	741.08	2.0905		2617.06		4.9874	2466.76	7.0003		2315.47	7.0546					2010.53	
$\frac{200}{225}$	$4.8538 \\ 4.5526$	2828.29 2887.02	6.6956 6.8166		2678.35 2737.00		4.6712 4.4007	2527.38 2586.68	7.1319 7.2541		2376.14 2436.44	7.1863 7.3105		$\begin{array}{c} 2224.66 \\ 2286.21 \end{array}$			2072.69 2135.74	
250	4.2965	2943.15		4.2307	2794.26		4.1647	2645.42		4.0981	2496.82		4.0316				2199.82	
275	4.0735	2997.82	7.0286	4.0150	2850.80	7.3328	3.9558	2704.01	7.4785	3.8961	2557.54	7.5421	3.8363	2411.29	7.5245	3.7772	2265.04	7.3541
300		3051.66 3105.04	$7.1247 \\ 7.2159$	3.8229	2907.04		3.7691	2762.74	7.5833		2618.79			2475.10				
		3158.21	7.2159		2963.23 3019.55	7.5291 7.6214		2821.78 2881.27	7.6841 7.7816		2680.69 2743.34		3.5004 3.3545	2539.88 2605.70	7.7489	3.4505 3.3082	2399.17 2468.18	7.7012
L	L		-		-										,			

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$;		$\xi = 0.4$			$\xi = 0.6$	3		$\xi = 0.8$		a	mmon	ia
t	ρ	$m{h}$	s	ρ	\boldsymbol{h}	8	ρ	$m{h}$	8	Q	$m{h}$	8	ρ	\boldsymbol{h}	8	ρ	$m{h}$	8
$ _{^{\circ}\mathrm{C}}$	kg	$\underline{\mathbf{kJ}}$	_kJ_	kg	$\underline{\mathbf{kJ}}$	<u>kJ</u>	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	_kJ	kg	<u>kJ</u>	_kJ	kg	$\underline{\mathbf{kJ}}$	_kJ_	kg	$\underline{\mathbf{kJ}}$	_kJ_
	m ³	kg	kg · K	$\overline{\mathbf{m}^3}$	kg	$kg \cdot K$	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	m ³	kg	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m ³	kg	$kg \cdot K$	m ³	$\overline{\mathrm{kg}}$	kg · K
								\boldsymbol{p}	= 1.2	MPa								
-50				0.40.07	101.00	0.1074		-304.17 -208.31				$-0.2671 \\ 0.2003$			$0.1267 \\ 0.6049$			$\begin{array}{c} 0.5633 \\ 1.0327 \end{array}$
$-25 \\ 0$	1000.40	1.18	-0.0001		-191.02 -86.01	0.1974 0.2058				809.97	-148.58 -34.12	0.2003			1.0475	ŀ		1.4690
25	997.54	105.94	0.3669		20.05	0.5772		6.47	0.7636		82.85		694.98	245.49	1.4609			1.8796
50 75	988.51 975.33	210.37 314.97	0.7033 1.0150	890.06	127.89 237.67	$0.9246 \\ 1.2517$		119.96 236.22	1.1291 1.4756	757.44	202.13	1.4334					$\frac{1687.77}{1755.98}$	
100	958.86	419.99		869.02	349.54	1.5620											1820.16	
125 150	939.52 917.42	525.75 632.63	1.5807 1.8410	845.40	463.83	1.8584							6.1752	2005 60	6 7855		1882.67 1944.67	
175	892.48	741.19	2.0902				6.0579	2457.05	6.8975	5.9110	2308.10	6.9551	5.7713	2158.06				
200	5.9053	2816.08		5.7783	2668.68	6.8934		2519.61 2580.26	7.0334	5.5401 5.2210	2370.05 2431.29		5.4250 5.1230				2069.47	
$\begin{vmatrix} 225 \\ 250 \end{vmatrix}$	5.5195 5.1973	2877.68 2935.63		5.4190	2729.23 2787.81	7.0181 7.1328		2639.97		4.9418	2492.38	7.2158		2282.27 2344 92		1	2197.32	
275	4.9197	2991.57	6.9358	4.8456	2845.33	7.2402	4.7704	2699.31	7.3861	4.6944	2553.66	7.4499	4.6180	2408.24	7.4323	4.5425	2262.81	7.2621
300	4.6760 4.4588	3046.34 3100.45		4.6092	2902.31 2959.09	7.3419 7.4389		2758.63 2818.16		$4.4728 \\ 4.2729$	2615.36 2677.64		4.4038				2329.48 2397.37	
350		3154.18		4.2068	3015.89		4.1494	2878.03		4.0913	2740.60		4.0330	2603.50				
								p	= 1.5	MPa		•						
-50								-303.86										0.5626
$-25 \\ 0$	1000.55	1.49	-0.0001	941.09	-190.71 -85.72	-0.1974 0.2057			-0.0239	834.32 810.09	-148.32 -33.88	0.1999 0.6392			0.6043 1.0468			1.0319 1.4680
25	997.68	106.22	0.3668		$\frac{-63.72}{20.31}$	0.2037		6.72	0.7633	784.65	83.08	1.0488			1.4601	603.24	461.01	1.8784
50 75	988.64 975.46	210.63 315.21	0.7031	908.61	128.14 237.90	0.9243 1.2514		120.19 236.44	1.1287 1.4751	757.60	202.33	1.4329					1669.95 1743.21	
100	959.00	420.22		869.16	349.75	1.5616	013.49	230.44	1.4751							l	1810.30	
125	939.67	525.95	1.5804	845.56	464.02	1.8580										8.1576	1874.70	6.3295
150 175	917.59 892.68	632.82 741.35	1.8407 2.0898							7.4976	2296.73	6 8294	7.8255	$\begin{array}{c} 2085.71 \\ 2149.83 \end{array}$			1938.03 2001.16	
200	7.5498	2796.01	6.4537	7.3539	2653.44	6.7640		2507.57		7.0046	2360.72	6.9683	6.8393	2213.14	6.9448	6.6820	2064.60	6.7665
225	7.0125	2862.96		6.8673	2717.16	6.8953		2570.38		6.5862	2423.43		6.4482			l	2128.66	- 1
$\frac{250}{275}$	$6.5784 \\ 6.2112$	2923.93 2981.94	6.7111 6.8194	6.4604	2777.89 2836.96	7.0143 7.1246		2631.66 2692.18		6.2235 5.9042	2485.63 2547.78		6.1048 5.7999				2193.56 2259.47	
300	5.8925	3038.21	6.9198	5.8034	2895.11	7.2283	5.7124	2752.41	7.3785	5.6199	2610.18	7.4467	5.5266	2468.30	7.4337	5.4340	2326.48	7.2681
325 350	5.6111 5.3594	3093.45 3148.07		5.5305 5.2854	2952.81 3010.35		5.4482 5.2099	2812.67 2873.15		5.3644 5.1331	2673.04 2736.47		5.2799 5.0556	2533.78 2600.20			2394.67 2464.11	
	L											•				L		

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$	2		$\xi = 0.4$!		$\xi = 0.6$	3		$\xi = 0.8$	3	a	mmon	ia
t	ρ	\boldsymbol{h}	8	ρ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	s .	ρ	\boldsymbol{h}	\boldsymbol{s}	ρ	$m{h}$	8	ρ	$m{h}$	\boldsymbol{s}
$ \cdot_{\rm C} $	kg	kJ	kJ	kg	kJ	kJ	kg	<u>kĴ</u>	kJ_	kg	kJ	kJ	kg	kJ	kJ	kg	kJ	kJ
	$\overline{\mathbf{m}^3}$	kg	kg · K	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	$\overline{\mathrm{m}^3}$	$\overline{\mathrm{kg}}$	$kg \cdot K$	m ³	kg	kg · K	m ³	kg	$kg \cdot K$	m ³	$\overline{\mathrm{kg}}$	$\overline{\mathbf{kg}\cdot\mathbf{K}}$
								1	o = 2.0	MPa								
-50											-257.94							0.5614
$\begin{vmatrix} -25 \\ 0 \end{vmatrix}$	1000.81	1 90	0.0000	941.28	-190.18 -85.24			-207.56 -102.92	-0.0243 0.3773		-147.89 -33.46	0.1992 0.6384			0.6033 1.0457			1.0305
25	997.90		0.3667		$\frac{-33.24}{20.76}$	0.5767		7.13	0.7627		83.46	1.0480				603.71		1.8763
50	988.86		0.7029		128.56	0.9239		120.58	1.1280		202.68	1.4319	662.35	367.18	1.8490		1636.69	
75	975.69		1.0145		238.29		813.72	236.79	1.4744	728.56	324.68	1.7955					1720.58	ŀ
100 125	959.24 939.92		1.3057 1.5799		350.10 464.33	1.5611 1.8573	787.88	355.89	1.8047							$12.12 \\ 11.10$	1793.22 1861.07	
150	917.87		1.8401		581.53	2.1428							10.69	2068.43	6.4904		1926.77	
175	893.00	741.61					0.0105	0.406.00	c 7000	10.26	2276.82			2135.74				
$\frac{200}{225}$	865.00 9.6328	852.46 2836.15		9.3829	2695.87	6.7279	9.8185	2486.38 2553.28	6.7383 6.8761	8.9211	2344.62 2410.00			$\begin{array}{c} 2201.32 \\ 2266.17 \end{array}$				
250	8.9688	2903.26		1	2760.66		8.5917	2617.40		8.4045	2474.17			2330.91				
275	8.4272	2965.18			2822.58		8.1147	2680.01		7.9554	2537.84			2395.91				
300 325	7.9676 7.5681	3024.21 3081.48					7.6982 7.3293	2741.86 2803.40	7.2290 7.3340		2601.45 2665.28			2461.43 2527.64				
350	7.2149				3000.97			2864.92		6.8869	2729.54			2594.67				
								1	o = 3.0	MPa								
-50							906.47	-302.34	-0.4312	857.49	-257.04	-0.2692	781.48	-98.83	0.1236	703.33	121.07	0.5591
-25	4004.04			941.67				-206.62			-147.02	0.1978			0.6014			1.0277
$\begin{vmatrix} 0 \\ 25 \end{vmatrix}$	1001.31 998.35		$0.0000 \\ 0.3665$		-84.29 21.65	0.2050 0.5761		-102.04 7.97	$0.3764 \\ 0.7616$		-32.64 84.23	0.6369 1.0463			1.0435 1.4562	640.36		1.4630 1.8721
50	989.30	211.92	0.7024	909.19	129.40	0.9231	837.66	121.36	1.1268	758.42	203.37	1.4299		367.66	1.8458	564.19		2.2652
75	976.13		1.0139		239.07		814.18	237.50	1.4729	729.24	325.25	1.7932	626.17	493.06	2.2195		1668.54	
100 125	959.71 940.43		1.3050 1.5790		350.82 464.96	1.5599	788.43 759.83	356.51 479.02	1.8029 2.1207							19.33 17.39	1756.19 1832.34	
150	918.44		1.8390		582.05	$\frac{1.8339}{2.1411}$	739.63	479.02	2.1207							15.93	1903.40	
175	893.65	742.14	2.0879		702.97	2.4187							15.46	2105.97		14.75	1972.06	6.2424
$\frac{200}{225}$	865.76 834.16	852.86	2.3283 2.5631	14.80	2647.95	6.4625	14 24	2516.29	6.6274	14.93	2310.12 2381.75	6.5560 6.7036		2176.71 2245.32		13.78	2039.65 2106.97	
250	14.16	2856.56			2723.25	6.6100		2516.29	6.7664		2450.36	6.8380		2312.91		12.94	2174.49	
275	13.14	2928.68			2792.02	6.7385		2654.63	6.8923		2517.36	6.9631		2380.16			2242.55	
300	12.32	2994.36			2857.12	6.8546		2720.06	7.0090		2583.57	7.0812		2447.49	7.0721	11.02	2311.36	
325 350	11.63 11.04	3056.36 3116.09			2920.06 2981.68	6.9621 7.0631		2784.38 2848.12	$7.1188 \\ 7.2232$		2649.49 2715.46	7.1938 7.3019		2515.20 2583.49		10.51	2381.08 2451.83	
350	11.04	5110.09	0.7400	10.00	4301,00	7,0031	10.00	2040.12	1.2232	10.40	2710.40	7.3019	10.20	4000.49	1.2990	10.05	2401.00	1.1449

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$	2		$\xi = 0.4$	ļ		$\xi = 0.6$;		$\xi = 0.8$	3	a	mmon	ia
t	ϱ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	8	ρ	$m{h}$	8	Q	$m{h}$	8	ρ	$m{h}$	8	ρ	\boldsymbol{h}	s
$ \cdot_{\rm C} $	$\frac{\text{kg}}{\text{m}^3}$	<u>kJ</u>	kJ	kg	$\underline{\mathbf{kJ}}$	_kJ	<u>kg</u>	$\underline{\mathbf{kJ}}$	_kJ_	kg	$\underline{\mathbf{kJ}}$	_kJ	$\frac{\text{kg}}{\text{m}^3}$	kJ	kJ	$\frac{\text{kg}}{\text{m}^3}$	<u>kJ</u>	_kJ_
<u> </u>	m ³	kg	$\overline{\mathbf{kg} \cdot \mathbf{K}}$	m ³	kg	$\overline{\text{kg} \cdot \text{K}}$	m ³	kg	$kg \cdot K$	m ³	kg	$\overline{\text{kg} \cdot \text{K}}$	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$
								1	o = 4.0	MPa								
-50				0.40.00	100.00	0.1070					-256.13							0.5567
$-25 \\ 0$	1001.82	4.02	0.0001	942.06	-188.08 -83.33			-205.68 -101.16	-0.0257 0.3754		-146.16 -31.82	$0.1965 \\ 0.6354$			0.5995 1.0413			1.0249 1.4597
25	998.80		0.3662		22.54		859.49	8.80	0.7605		85.00	1.0446			1.4536			1.8680
50 75	989.73 976.57		0.7020 1.0133		130.23 239.85	0.9223 1.2490	838.06 814.64	122.14 238.22	$1.1255 \\ 1.4714$		204.06 325.82	1.4280 1.7909	627.43		1.8427 2.2154		$\frac{583.75}{715.23}$	2.2598 2.6514
100	960.17		1.3042		351.53	1.5587		357.13	1.8012	697.63	451.33	2.1389				27.71	1714.09	
125 150	940.93 919.00		1.5780 1.8379		465.59 582.57	1.8545 2.1395	760.49	479.50	2.1186							$\begin{vmatrix} 24.35 \\ 22.01 \end{vmatrix}$	1801.30 1878.80	
175	894.29	742.67	2.0866		703.33	2.4167							21.55	2073.67		20.21	1951.75	6.0682
$\frac{200}{225}$	866.51 835.08	853.27 967.14	2.3267 2.5612				20.12	2474.78	6.4261	19.15	2351.38	6.5196	19.74 18.30	2150.67 2223.57			2022.45 2092.13	
250	798.92	1085.78		19.22	2681.04	6.4119		2554.48	6.5822	17.77	2425.26	6.6643		2294.32		ŀ	2161.53	
275 300	18.31 16.99	2887.33 2961.72			$\begin{array}{c} 2758.72 \\ 2829.71 \end{array}$	6.5570 6.6837		2627.68 2697.24	6.7190 6.8431		2496.05 2565.12	6.7965 6.9198		2364.00 2433.28			2231.10 2301.16	
325	15.93	3029.49			2896.85	6.7983		2764.66	6.9582		2633.30	7.0362		2502.57			2371.10	
350	15.04	3093.35	6.5843	14.75	2961.64	6.9045	14.45	2830.84	7.0666	14.13	2701.09	7.1472	13.81	2572.18	7.1471	13.49	2443.59	6.9943
								1	p = 5.0	MPa								
-50				0.40.45	107.00	0.10#0					-255.23			-97.03				0.5544
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1002.32	5.03	0.0001	942.45	-187.03 -82.38			-204.74 -100.27	-0.0264 0.3745		-145.30 -31.00	$0.1951 \\ 0.6339$			0.5976 1.0391			1.0222 1.4564
25	999.25		0.3659		23.43	0.5748	859.85	9.63	0.7594	786.24	85.78	1.0429	697.67	248.01	1.4510	606.48	462.51	1.8640
50 75	990.16 977.01		$0.7015 \\ 1.0127$		131.06 240.62	0.9214 1.2480		122.92 238.93	1.1242 1.4699		$204.75 \\ 326.40$	1.4261 1.7886	665.09 628.66		1.8395 2.2115			$2.2544 \\ 2.6432$
100	960.63	422.85	1.3034	870.76	352.24	1.5575	789.50	357.75	1.7995	698.48	451.71	2.1361	586.13		2.5759		1664.24	5.2690
125 150	941.44 919.56		1.5771 1.8368		466.22 583.09	1.8532 2.1378	761.15	479.99 606.83	$2.1165 \\ 2.4254$	661.66	582.52	2.4753				$32.17 \\ 28.59$	1767.32 1852.76	
175	894.93	743.20	2.0852	791.88	703.70	2.4147	129.13	000.00	2.4204							26.00	1930.64	5.9239
$\begin{vmatrix} 200 \\ 225 \end{vmatrix}$	867.26 835.99	853.69 967.38	2.3251	758.35	829.41	2.6876				24.95	2318.49	6.3618	25.59	2122.94 2200.82			2004.76 2076.99	
250	800.08	1085.75		25.45	2632.40	6.2325	24.09	2518.66	6.4232		2398.69	6.5190		2275.10			2148.36	
275	24.13	2839.49	6.0572	23.09	2722.12	6.4001	22.17	2598.95	6.5732	21.32	2473.81	6.6593	20.51	2347.43	6.6608	19.75	2219.51	6.5063
300 325	$22.05 \\ 20.49$	2925.73 3000.63			2800.37 2872.43	6.5398 6.6628	$20.67 \\ 19.42$	2673.30 2744.21	6.7058 6.8270		2546.07 2616.69	6.7882 6.9088		2418.78 2489.74			2290.88 2362.74	
350	19.24	3069.34			2940.79	6.7748		2813.04	6.9397		2686.43	7.0230		2560.72			2435.31	

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

		water			$\xi = 0.2$:		$\xi = 0.4$	l		$\xi = 0.6$;		$\xi = 0.8$		a	mmoni	ia
t	Q	\boldsymbol{h}	\boldsymbol{s}	ρ	\boldsymbol{h}	\boldsymbol{s}	Q	$m{h}$	8	Q	\boldsymbol{h}	8	Q	\boldsymbol{h}	\boldsymbol{s}	Q	\boldsymbol{h}	8
$^{\circ}\mathrm{C}$	$\frac{\text{kg}}{\text{m}^3}$	kJ	_kJ	kg	\mathbf{kJ}	kJ	kg	kJ	_kJ_	kg	<u>kJ</u>	<u>kJ</u>	kg	$\underline{\mathbf{k}}$ J	_kJ_	kg	$\underline{\mathbf{kJ}}$	kJ
	m ³	kg	$\overline{\mathrm{kg}\cdot\mathrm{K}}$	m ³	kg	kg · K	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	m ³	kg	kg · K	m ³	kg	$kg \cdot K$	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$
								1	o = 6.0	MPa								
-50				0.40.00	105.00	0.1055		-299.29					782.64	-96.13			123.77	
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1002.82	6.04	0.0002	942.83	-185.98 -81.42	-0.1977 0.2038		-203.81 -99.39	-0.0271 0.3735		-144.44 -30.17	0.1938 0.6324			0.5957 1.0369			1.0194 1.4531
25	999.69		0.3657		24.32	0.5742		10.47	0.7583		86.55	1.0413			1.4485			1.8600
50 75	990.59 977.45		$0.7010 \\ 1.0120$		131.90 241.40	$0.9206 \\ 1.2470$		$123.71 \\ 239.65$	1.1229 1.4685		205.45 326.98	1.4242 1.7863	665.97 629.87		1.8365 2.2076			2.2491 2.6353
100	961.10		1.3026	1	352.95	1.5564	ŀ	358.37	1.7978		452.10		587.93		2.5705		1600.27	
125	941.94			847.88	466.85	1.8518		480.48		662.83	582.58	2.4717				$41.17 \\ 35.79$	1729.47 1825.03	
150 175	920.11 895.56		1.8357 2.0839		583.62 704.07	2.1362 2.4127		607.11 740.33	2.4228 2.7286							32.16	1908.64	
200	868.00		2.3236	759.27	829.55	2.6851				21.07	0000 40	C 0170	31.97	2093.22			1986.56	5.9670
225 250	836.90 801.23	967.63	2.5574				30.34	2479.01	6.2767	31.37	2282.49 2370.43	6.2178 6.3901	26.87	2176.97 2255.21			2061.53 2134.99	
275	759.09	1210.89	3.0223	29.03	2681.41	6.2554	27.56	2568.14	6.4432	26.26	2450.56	6.5398	25.07	2330.43	6.5493	23.98	2207.79	6.4012
300 325	27.63 25.39	2885.57 2969.48			2768.79 2846.65	6.4113 6.5443		2648.12 2722.96	6.5859 6.7138		2526.36 2599.64	6.6750 6.8002	$23.56 \\ 22.27$	2403.99 2476.71			2280.50 2353.48	
350	23.67	3043.93			2919.06	6.6630		2794.71	6.8313		2671.46	6.9179		2549.13			2426.99	
							<u> </u>	1	o = 8.0	MPa								
-50		•						-297.26				-0.2750		-94.32				0.5475
$-25 \\ 0$	1003.82	8.06	0.0003	943.59	-183.89 -79.51	-0.1978 0.2030		-201.93 -97.63	-0.0286 0.3717		-142.71 -28.52	$0.1911 \\ 0.6295$	757.06		0.5919 1.0326			1.0140 1.4467
25	1003.82		0.3651		26.09	0.2030 0.5729		$\frac{-97.03}{12.14}$	0.7561	787.57	88.10	1.0379	699.71	250.04	1.4434	609.14		1.8521
50 75	991.45 978.32		0.7001 1.0108		$\frac{133.57}{242.96}$	0.9190 1.2450		125.27 241.08	1.1204 1.4655		$206.85 \\ 328.15$	1.4204 1.7818			1.8304 2.1999			2.2388 2.6202
100	962.02		1.3011		354.38	1.5541	l	359.63	1.7943	i .	452.91	2.1279	l .		2.5601	464.68		3.0247
125	942.94	530.46	1.5744	848.90	468.12	1.8491	763.08	481.47	2.1103	665.10	582.77	2.4646	541.29		2.9240	65.33	1634.43	5.0363
150 175	921.22 896.82		1.8335 2.0814		584.68 704.83	2.1329 2.4088	731.59 695.18	607.70 740.23	2.4178 2.7220	622.33	720.70	2.8005				52.67 45.86	1763.07 1861.59	
200	869.48		2.3205		829.85	2.6802	033.16	740.20	2.1220							41.24	1948.50	5.7654
225	838.68		2.5536	722.62	961.89	2.9520							41.45	2125.33			2029.62	
$\begin{vmatrix} 250 \\ 275 \end{vmatrix}$	803.49 762.16	$1085.75 \\ 1210.03$					39.91	2498.70	6.2065	$\begin{vmatrix} 41.03 \\ 37.09 \end{vmatrix}$	2307.64 2400.55	6.1582 6.3318		2213.16 2295.01			2107.63 2183.97	
300	41.19	2786.51	5.7938		2697.13	6.1767	36.09	2593.41	6.3755	34.16	2484.79	6.4821	32.40	2373.49	6.5014	30.82	2259.50	6.3627
325 350	36.49 33.36	2898.44 2988.16			2790.34 2872.68	6.3360 6.4709		2677.80 2756.32	6.5197 6.6483	31.83	2564.15 2640.58	6.6177 6.7429	30.45 28.78	2450.03 2525.51			2334.80 2410.25	
	100.00	2000.10	0.1021	02.10	20.2.00	0.4103	51.01	2100.02	0.0100	-0.00	2010.00	0.1 120		2020.01	0.1001	0	2110.20	0.0110

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

	water			$\xi = 0.2$			$\xi = 0.4$			$\xi = 0.6$				$\xi = 0.8$		ammonia		
t	ρ	\boldsymbol{h}	8	ρ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	8	ρ	$m{h}$	8	ρ	$m{h}$	8	ρ	$m{h}$	s
$ $ $^{\circ}$ C	$\frac{\text{kg}}{\text{m}^3}$	kJ	kJ	kg	kJ	kJ	$\frac{\text{kg}}{\text{m}^3}$	kJ	kJ	$\frac{\text{kg}}{\text{m}^3}$	kJ	kJ	kg	kJ	kJ	$\frac{\text{kg}}{\text{m}^3}$	kJ	kJ
	$\overline{\mathrm{m}^3}$	kg	$kg \cdot K$	m ³	$\overline{\mathrm{kg}}$	$\overline{\text{kg} \cdot \text{K}}$	m ³	$\overline{\mathrm{kg}}$	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m ³	kg	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m ³	kg	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m ³	$\overline{ m kg}$	$kg \cdot K$
								p	=10.0	MPa								
-50				044.00	101.00	0.1070	908.40	-295.22				-0.2773			0.1119			0.5429
$\begin{vmatrix} -25 \\ 0 \end{vmatrix}$	1004.82	10.06	0.0003	944.33	-181.80 -77.60	-0.1979 0.2021		-200.05 -95.86	-0.0300 0.3698		-140.97 -26.86	$0.1885 \\ 0.6265$			0.5881 1.0283			1.0086 1.4403
25	1001.46		0.3646		27.87	0.5716		13.80	0.7539		89.65	1.0346		251.40	1.4385	610.86		1.8443
50 75	992.30 979.19		0.6992 1.0096		135.23 244.51	0.9173 1.2430		$126.84 \\ 242.52$	1.1179 1.4627		$208.25 \\ 329.33$	$1.4166 \\ 1.7774$			1.8244 2.1924			2.2289 2.6059
100	962.93	426.61	1.2996	872.99	355.81	1.5517	792.13	360.89	1.7910	702.58	453.75	2.1225	594.61	623.72	2.5501	472.45	852.53	2.9985
125 150	943.92 922.32		1.5725 1.8314		469.40 585.74	1.8463	764.34 733.19	482.48 608.32	2.1063 2.4128		583.01 719.83	2.4577 2.7908	546.58	762.13	2.9089	$358.77 \\ 74.732$	1061.77 1688.47	
175	898.06		2.0788		705.60	2.4049		740.20	2.7155	023.02	713.03	2.1308				61.911	1809.63	
$\frac{200}{225}$	870.93 840.43		2.3174 2.5499		830.17 961.48	2.6753 2.9457	654.28	881.43	3.0221				56.033	2067.10	E 9261	54.388	1907.99 1996.35	
250	805.70	1085.80		1	1103.36	3.2235				56.570	2233.28	5.9366		2167.65			2079.47	
275	765.12	1209.27	3.0097				55.494	2414.16	5.9745	49.557	2344.84	6.1451	45.280	2257.56	6.2012	41.932	2159.64	6.0852
300 325	715.28 50.307	1343.34 2810.35		53.162 46.655	2608.94 2726.04	5.9453 6.1455	48.442	$\begin{array}{c} 2531.46 \\ 2628.53 \end{array}$	6.1839 6.3498		2439.97 2526.62	6.3148 6.4629	39.067	$\begin{array}{c} 2341.71 \\ 2422.51 \end{array}$			2238.19 2315.93	
350	44.563	2924.04			2821.72	6.3023		2715.38	6.4921		2608.37		36.746	2501.32			2393.41	
								p	=12.0	MPa								
-50							908.95	-293.19			-248.87				0.1086			0.5384
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1005.81	12.07	0.0004	945.08	-179.71 -75.70	-0.1980 0.2013		-198.18 -94.10	-0.0314 0.3680		-139.25 -25.21	$0.1858 \\ 0.6236$			0.5844 1.0241			1.0033 1.4341
25	1002.35	115.89	0.3641	927.90	29.65	0.5703	862.32	15.48	0.7517	789.30	91.21	1.0314	702.33	252.79	1.4336	612.56	465.88	1.8368
50 75	993.16 980.06		0.6983 1.0083		136.90 246.08	0.9157 1.2411		128.41 243.97	1.1154 1.4598		209.67 330.54	1.4129 1.7731			1.8186 2.1852			$2.2192 \\ 2.5924$
100	963.84		1.2981	l	357.25	1.5495		362.17	1.7876		454.62	2.1172			2.5405			2.9755
125	944.91	533.24	1.5707	850.90	470.68	1.8437		483.51	2.1023		583.33	2.4510			2.8949		1025.54	
150 175	923.41 899.31		1.8292 2.0763		586.82 706.40		734.76 699.43	608.97 740.24	2.4079 2.7092		719.12 866.88	2.7816 3.1207	491.00	914.40	3.2702	81.27	$\frac{1590.89}{1751.42}$	
200	872.37	856.67	2.3144	764.59	830.55	2.6706	657.35	880.32	3.0132					1000 5 :	* 005-	69.20	1864.78	5.4304
225	842.16		2.5463	727.30 682.46	961.16 1101.72	2.9395 3.2147	603.71	1035.60	3.3329				73.92 63.52	1999.84 2118.06			1961.70 2050.53	
$\begin{vmatrix} 250 \\ 275 \end{vmatrix}$	807.86 768.00	1085.91 1208.61			1101.72 1260.26	3.2147				64.34	2281.70	5.9652		2118.06 2217.90			2050.53 2134.87	
300	719.55	1341.18	3.2402				63.41	2459.57	5.9954		2391.33	6.1609		2308.62			2216.63	
325 350	69.86 58.07	2688.32 2848.12			$\begin{array}{c} 2650.58 \\ 2765.16 \end{array}$	5.9565 6.1444		$\begin{array}{c} 2574.28 \\ 2671.55 \end{array}$	6.1915 6.3509		2486.88 2574.77		$48.17 \\ 45.07$	$2394.17 \\ 2476.61$			$\begin{array}{c} 2296.93 \\ 2376.50 \end{array}$	

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

	water			$\xi = 0.2$			$\xi = 0.4$			$\xi = 0.6$			$\xi = 0.8$			a	ammonia		
t	ρ	$oldsymbol{h}$	\boldsymbol{s}	Q	\boldsymbol{h}	8	ρ	$m{h}$.	8	Q	$m{h}$	8	ρ	$m{h}$	\boldsymbol{s}	ρ	$m{h}$	s	
$ $ $^{\circ}$ C	$\frac{\text{kg}}{\text{m}^3}$	kJ	_kJ_	kg	$\underline{\mathbf{kJ}}$	_kJ_	kg	kJ	kJ_	kg	\underline{kJ}	_kJ_	kg	$\underline{\mathbf{kJ}}$	_kJ_	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	kJ	
Ľ	m ³	kg	$kg \cdot K$	m ³	kg	kg · K	$\overline{\mathrm{m}^3}$	$\overline{\mathrm{kg}}$	kg · K	m ³	kg	kg · K	m ³	kg	$kg \cdot K$	m ³	kg	$kg \cdot K$	
								p	=15.0	MPa									
-50						0.4000		-290.14				-0.2830			0.1036			0.5316	
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1007.29	15.07	0.0005	946.18	-176.59 -72.85	-0.1982 0.2001		-195.36 -91.45	-0.0335 0.3652		-136.65 -22.72	0.1819 0.6192			0.5788 1.0178			0.9954 1.4248	
25	1003.66		0.3633		32.31		863.36	17.99	0.7485		93.56	1.0265			1.4263			1.8256	
50	994.43		0.6969		139.41	0.9133		130.77	1.1117		211.81	1.4073			1.8100			2.2052	
75	981.35		1.0065		248.42	1.2382		246.14	1.4555		332.37	1.7666			2.1746			2.5733	
$100 \\ 125$	965.20 946.38		1.2958 1.5680		359.41 472.62	1.5461	794.69	364.09 485.08	1.7826	672.46	455.97 583.89	2.1094 2.4412	602.00 557.97		2.5268		842.95 1001.96	2.9450	
150	925.03		1.8260		588.46	2.1218		610.00	$\frac{2.0304}{2.4007}$		718.29	2.7684					1329.49		
175	901.14		2.0725		707.62	2.3954		740.39	2.7000		863.16		419.76	1093.73	3.6664				
$\begin{vmatrix} 200 \\ 225 \end{vmatrix}$	874.50 844.71		2.3100 2.5409		831.16 960.78	2.6636	610.90	878.89 1030.78	3.0006 3.3133	521.76	1028.04	3.4586	111 66	1873.25	E 2176	95.35	1794.39 1907.15		
$\frac{225}{250}$	811.02	1086.13		687.25	1099.54	3.2022	539.98	1210.00	3.6640				88.50	2034.40			2005.80		
275	772.16	1207.76		632.25	1033.34 1253.97	3.4904	009.90	1210.00	3.0040	93.63	2166.73	5.6845		2153.91			2003.00		
300		1338.31					94.93	2320.98	5.6855		2309.68	5.9398		2256.49			2183.90		
325 350	664.87 87.10	1485.60 2693.14			2500.62 2666.14	5.6382 5.9097		2480.77 2599.50	5.9588 6.1534	69.19 62.89	2422.64 2521.61	6.1329 6.2950	62.80 58.25	2350.17 2438.62			2268.23 2351.07		
- 550	37.10	2000.11	0.1100	10.02	2000.11	0.5051	00.00		=20.0		2021.01	0.2000	00.20	2100.02	0.0102	01.00	2001.01	0.2010	
							911.09	-285.06			241.50	-0.2886	797 70	92.42	0.0956	710.10	126 54	0.5206	
$-50 \\ -25$				947.98	-171.40	-0.1986		-285.06 -190.67				0.1754			0.5698			0.5206	
ő	1009.74	20.03	0.0005	942.25	-68.10	0.1980	883.95	-87.04	0.3607	817.03	-18.56	0.6120	735.50	142.27	1.0075	651.30	356.61	1.4098	
25	1005.84				36.75			22.18	0.7431		97.49		707.27		1.4145			1.8078	
50 75	996.53 983.48		0.6946 1.0035		143.58 252.33	0.9093 1.2334		134.72 249.79	1.1055 1.4485		215.41 335.48	1.3983 1.7561	644.60		1.7961 2.1577		586.79 707.91	2.1831 2.5440	
100	967.44	434.17		877.34	363.03	1.5405	797.17	367.34	1.7745		458.34		608.58		2.5054	l		2.9016	
125	948.79	538.84	1.5635	854.80	475.87	1.8331	770.38	487.76	2.0868	677.25	585.09	2.4255	567.52	755.11	2.8462	443.22	980.98	3.2751	
150	927.69		1.8208		591.24	2.1141		611.84	2.3890		717.45		518.43				1162.46		
$\begin{vmatrix} 175 \\ 200 \end{vmatrix}$	904.14 877.97		2.0664 2.3027		709.74 832.32	2.3862 2.6523		740.89 877.09	2.6853 2.9809	595.51 540.03	858.45 1014.19			1061.35 1297.39					
$\frac{200}{225}$	848.82		$\frac{2.5027}{2.5322}$		960.43		621.37	1024.38		462.37	1202.55			1620.01					
250	816.09	1086.68	2.7574	694.65	1096.56	3.1827	560.05	1191.48	3.6112		1512.01			1870.31			1928.64	5.3736	
275	778.71	1206.71			1245.52	3.4607	465.27	1408.74	4.0163		1900.27			2035.93			2032.71		
300	734.71 679.84	1334.38 1475.19		575.31	1419.49	3.7708	133.80	2275.56	5 5305	127.41 105.15	2145.63 2302.39	5.5656 5.8336		2163.74 2273.56			2128.90 2220.34		
350				134.03	2432.35	5.4529	1	2458.74	5.8330		2425.81	6.0359		2373.41			2308.84		
				<u> </u>			l												

TABLE 5. Properties of {water+ammonia} in the one-phase region—Continued

	water			$\xi = 0.2$			$\xi = 0.4$			$\xi = 0.6$				$\xi = 0.8$	3	ammonia		
t	ρ	\boldsymbol{h}	8	ρ	$m{h}$	\boldsymbol{s}	Q	$m{h}$	\boldsymbol{s}	ρ	\boldsymbol{h}	\boldsymbol{s}	ρ	$m{h}$	\boldsymbol{s}	Q	$m{h}$	\boldsymbol{s}
$ $ $^{\circ}$ C	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	_kJ_	$\underline{\mathbf{kg}}$	$\underline{\mathbf{kJ}}$	_kJ	$\frac{\text{kg}}{\text{m}^3}$	$\underline{\mathbf{kJ}}$	<u>kJ</u>	<u>kg</u>	$\underline{\mathbf{kJ}}$	kJ	kg	\underline{kJ}	kJ	kg	kJ	kJ
	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	$\overline{\mathbf{m}^3}$	$\overline{\mathrm{kg}}$	$\overline{\mathbf{kg}\cdot\mathbf{K}}$	m ³	kg	kg · K	$\overline{\mathbf{m}^3}$	$\overline{\mathrm{kg}}$	kg · K	m ³	$\overline{\mathrm{kg}}$	$kg \cdot K$	m ³	kg	$kg \cdot K$
								\boldsymbol{p}	=30.0	MPa								
-50					101.05	0.1000					-232.47	-0.2996			0.0798			0.4993
$\begin{bmatrix} -25 \\ 0 \end{bmatrix}$	1014.54	29.86	0.0003	951.45	-161.05 -58.63	-0.1993 0.1939		-181.28 -78.20		843.51	-123.60 -10.20		766.34 740.28		$0.5521 \\ 0.9877$			0.9578 1.3812
25	1010.12	132.28	0.3591	934.13	45.62	0.5591	868.37	30.58	0.7326	796.65	105.42		712.98		1.3919			1.7742
50 75	1000.67 987.67	235.05 338.19		919.09 901.42	151.94 260.19	$0.9015 \\ 1.2241$		142.66 257.16		771.69 745.27	222.74 341.92		684.16 653.37		1.7698			2.1425
100	971.82	441.75		881.52	370.31	1.5295		373.96		716.89	463.48	2.0730	Į.		2.1264 2.4667	i		2.4927 2.8319
125	953.50	545.89		859.49	482.46	1.8204		493.34	2.0684		588.21		583.18		2.7962			3.1690
150	932.86	650.89		835.24	596.94	2.0992		615.93	2.3669		717.35	2.7111					1102.88	
175	909.94 884.62	$757.12 \\ 865.02$		808.54 778.93	714.25 835.12	2.3685 2.6309		742.70 875.17	2.6579 2.9455	612.12 566.01	852.73 997.45						1265.18 1448.66	
	856.64	975.18		745.72	960.65	2.8894		1015.77		509.45	1157.86						1626.47	
250	825.56	1088.36	2.7373		1092.55		588.20	1168.76		434.22	1351.01	4.0441	267.80	1627.91	4.6791	183.63	1778.08	4.9499
275 300	790.64 750.66	1205.69 1328.90		663.09 608.12	1233.69 1389.57		523.69 431.91	1343.33 1565.67		333.71 252.14	1603.94						1907.25	
325	703.37	1461.09		534.39	1573.48		310.83	1862.98		199.53	1850.77 2055.83						2021.99 2127.62	
	643.95	1608.84			1830.95		225.09	2132.93		165.67							2227.36	
								p	=40.0	MPa								
-50							916.17	-264.73	-0.4445	867.69	-223.31	-0.3103	794.56	-65.08	0.0645	717.72	155.20	0.4787
-25	1010.00	00.55	0.0000			-0.2001			-0.0506		-114.86	0.1501			0.5350			0.9342
$\begin{vmatrix} 0 \\ 25 \end{vmatrix}$	1019.23 1014.32	39.55 141.30	-0.0002		-49.19 54.47	$0.1898 \\ 0.5529$		-69.34 39.00	0.3429 0.7223		-1.80 113.43	$0.5841 \\ 0.9877$			0.9686 1.3704			1.3542 1.7430
50	1004.72	243.56	0.6855	922.54	160.31	0.8937		150.65	1.0819		230.20		690.51					2.1058
	991.76	346.24	0.9916		268.07	1.2149		264.63	1.4215		348.61		661.16	508.01	2.0976	569.29	710.37	
$\begin{vmatrix} 100 \\ 125 \end{vmatrix}$	976.10 958.07	$449.34 \\ 552.98$	1.2775 1.5464		377.66 489.17	1.5189		380.74	1.7436		469.04		629.83		2.4322	533.95	828.41	
150	937.86	657.42	1.8008		602.84	$1.8081 \\ 2.0849$		499.20 620.48	2.0508 2.3462	693.63 661.36	592.13 718.75	$\frac{2.3700}{2.6784}$	558.71		2.7535		951.11 1080.33	
175	915.51	762.96	2.0431	814.51	719.07	2.3518	723.95	745.34	2.6329	625.49	850.16						1218.12	
200	890.94 863.97	870.01 979.04	2.2755		838.45	2.6110		874.90	2.9141		988.16						1365.39	
$\begin{array}{ c c }\hline 225\\ 250\\ \end{array}$	834.29	1090.69	2.5000	719.16	961.83 1090.44	2.8650 3.1169		1010.76 1155.35	3.1939 3.4770	538.01 481.92	1135.83 1299.46						1518.05	
275		1205.81	$\frac{2.7187}{2.9336}$		1090.44 1226.14	3.1169		1312.87		$481.92 \\ 412.42$	1491.16						1666.46 1803.90	
300	764.36	1325.65	3.1474	631.20	1371.94	3.6302	491.60	1491.71	4.0899	337.27	1706.74	4.6462	246.29	1857.99	5.0283	196.53	1929.54	5.1304
325 350		1452.16 1588.82		573.50	1533.28	3.9057		1705.87		278.85	1904.57						2045.46	
350	071.80	1588.82	3.3871	499.82	1721.09	4.2131	327.69	1939.22	4.8376	237.03	2076.42	5.2658	190.62	2135.90	5.4938	161.69	2154.17	5.5065